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## Supercontinuum Generation With Photonic Crystal Fibers and Its Application in Nano-imaging

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Additional information is available at the end of the chapter

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## 1. Introduction

Supercontinuum (SC) generation describes the phenomenon that the output spectrum becomes much wider than the input spectrum when an ultrashort optical pulse passes through a nonlinear medium, such as bulk fused silica, photonic crystal fiber and so on. Since this phenomenon was first discovered by Alfano and Shapiroin in 1970s by passing picosecond pulses through a bulk BK7 glass [1], it has been explored in a wide variety of nonlinear media, including solids, gas, inorganic liquids and various waveguides.

In 1974, an ingenious idea of introducing microstructures into traditional step index optical fibers to modify the guidance properties by Kaiser and Altle [2] established the theoretical foundation for photonic crystal fiber (PCF). And the exploration for fabricating such fibers were never stopped until the advent of an all-silica PCF in Southampton University by Russell and co-workers in 1996 [3]. His birth drew much more interest from various scientific researchers and initiated a revolution in SC generation.

The PCF used for SC generation often has a solid core surrounded by regularly arranged microscopic air holes running along the fiber length [4], resulting in a surrounding region with lower refractive index compared to that of the central district. Therefore the light will be trapped and guided in the fiber core through total internal reflection. This modified surrounding shows good flexibility to engineer the waveguide properties. It is reported that the zero-dispersion wavelength (ZDW) in fused silica can shift to a shorter wavelength than the intrinsic ZDW about 1300 nm by suitable design of the air hole diameter and air filling fraction [5]. Then Ranka *et al.* first reported that the PCF can exhibit anomalous dispersion at visible region [6]. And they obtained an ultrabroadband continuum generation from 400 nm to 1600 nm by injecting a femtosecond pulse into a 75 cm section PCF. In 2000, Wadsworth *et al.* observed soliton effects by pumping a short PCF near the ZDW in the anomalous regime [7]. Accom-



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panied with other nonlinear effects, the fundamental and second soliton were identified. The phenomenon of soliton self-frequency shift [8] in a tapered air–silica microstructure fiber was reported by Liu *et al.* from 1.3 to 1.65 µm. Numerical modeling of pulse evolution in PCFs was first proposed by Husakou and Herrmann [9] based on reduced Maxwell equations. And the important roles of soliton fission, four-wave mixing in spectral broadening were first discussed in detail. Due to the lack of Raman scattering, much fine structure was lost in the solution. An extended nonlinear Schrödinger equation (NLSE) was first applied to the modeling of femtosecond pulse propagation in PCF [10] with higher-order dispersion, self-steepening and Raman effects included. The numerical simulations based on extended NLSE is accurately consistent with experimental results. Based on the previous works, Genty *et al.* quantitatively studied the mechanisms of SC generation when the PCF was pumped in its normal and anomalous regimes [11]. Soon afterwards, continuum generation from 1065 to 1375 nm was demonstrated by pumping a honey fiber with continuous wave [12]. These numerical and experimental studies led to a detailed description of the SC generation in PCFs from the ultraviolet to the infrared in both femtosecond, picosecond regimes and continuous wave.

SC generation in PCFs involves several nonlinear effects such as self-phase modulation, (SPM) cross-phase modulation (XPM), self-steepening and optical shock formation, Raman scattering, solition fission, four-wave mixing and so on. Greatest spectral broadening was reported when a PCF was pumped in the anomalous dispersion regime near the ZDW [13]. The broadening mechanism in this case is dominated by soliton dynamics, especially breakup of higher-order solitons into fundamental solitons and non-solitonic radiation, though the SPM effect in initial propagation. The ejected solitons will shifts toward longer wavelength under intrapulse Raman scattering, known as soliton self-frequency shift (SSFS). Spectral broadening in normal dispersion region is mainly due to SPM effect and optical wave breaking. With soliton dynamics suppressed in this region, the generated SC possesses a good temporal structure in spite of a smaller spectral broadening. Under specific pump pulses, continua with broad spectral bandwidth, good spatial coherence, uniform intensity profile and simple temporal structure can be generated in certain PCFs. These continua show significant applications in many fields such as optical frequency metrology, optical communication and cellular biology.

Recent years have seen the fast development of cellular biology based on optical microscope and coherent lasers. And many microscopies were developed to observe the fine structures inside biologic cells, such as scanning electron microscope [14] (SEM), scanning tunneling microscope [15] (STM), and atomic-force microscope [16] (AFM). Though they all have very high spatial resolutions, vacuum circumstance needed in SEM makes it not suit for live-cell imaging while STM and AFM are restricted to surface mapping due to the cantilever tip [17]. With the development of several novel microscopic methods, such as photo-activated localization microscopy [18] (PALM), stochastic optical reconstruction microscopy [19] (STORM), stimulated emission depletion [20] (STED) microscopy, fluorescence microscopies obtain a spatial resolution about 20 nm and are widely used in cellular biology. But photo-toxicity, photo-bleaching and influence of invasive marker on cells cannot be ignored in vivo imaging, let alone some biomolecule that are difficult to be labeled [21]. Therefore it is urgent to develop a microscopy with nano-scaled resolution to study the process of metabolism in live cells and its response to invasive substances.

As a new kind of microscopies based on molecular vibrations, coherent anti-Stokes Raman scattering (CARS) microscopy has exhibited their prospective applications in live-cell imaging for its distinct characteristics, including high sensitivity and spatial resolution, label-free chemical specificity, three-dimension sectioning capability [22-24]. In traditional CARS microscopy, the pump and Stokes pulses can resonant only single or few molecular bonds due to the limitation of the spectral bandwidth. Obviously it is not adequate to acquire accurate recognition and mapping of an unknown biomolecule or that with complex components. Although this can be achieved by sequentially tuning the frequency difference of them or synchronizing two ultrashort lasers, it is time-consuming and costs a lot. When a SC pulse generated in a high nonlinear PCF serves as both the pump the Stokes, most distinct vibration modes, perhaps full modes even, can be probed simultaneously as long as different frequency components in the generated SC propagate at about a same speed. And a method named additional probe-beam-induced phonon depletion [25] (APIPD) is proposed to improve the spatial resolution on CARS microscopy. In APIPD method, an additional doughnut beam with different frequency from that of the probe beam is introduced to deplete the phonons on the periphery of point spread function (PSF). The subsequent Gaussian probe beam reacts with the rest phonons, generating an anti-Stokes signal near centre of the PSF. By filtering out the signal induced by doughnut beam, the effective PSF is hence decreased, meaning a higher spatial resolution. And the resolution can be reduced below 100 nm by properly modifying the probe and additional probe beam. These characters make CARS microscopy especially suit for studying the process of metabolism in live cells.

In the latest 10 years, infrared (IR) microscope has been widely used in many industries, such as material analysis and cellular biology, for its ability of nondestructive imaging and molecular location based on vibrational spectroscopy [26,27]. Traditional IR microscopes are based on either thermal IR sources [28] with low brightness and coherence, such as a globar or Hg-lamp, or synchrotron radiation [29,30]. The synchrotron radiation is complex, expensive, power consuming and always accompanied with intensity fluctuation in spite of high brightness and coherence. The application of non-silica fibers [31-33] brings about a new IR source with both high brightness and coherence, not to mention the broad bandwidth.

In this chapter, the generalized nonlinear Schrödinger equation is briefly deduced, based on the Maxwell's equations. It takes not only the higher-order dispersion into consideration, but also the higher-order nonlinear effects including self-steepening, optical shock formation and intrapulse Raman scattering. Then a predictor-corrector split-step Fourier method is used to simulate the pulse evolutions in both temporal and spectral domain for its high accuracy and fast calculating speed. Based on the fiber structure, the dispersion parameters and nonlinear coefficient can be calculated with finite element method. Then the process of continuum generation in a PCF is described in detail, including pulse evolutions in both temporal and spectral domain. The generated SC has important applications in nonlinear optics, especially CARS microscopy and IR microscopy. Based on the vibrational spectroscopy, CARS microscopy and IR microscopy has been widely used in cellular biology for their label-free and nondestructive imaging. In terms of the limited spatial resolution in CARS microscopy, an APIPD is proposed to break the diffraction barrier, leading to nano-scaled imaging. Furthermore, the combination of this CARS nanoscopy and the broadband continuum is of crucial importance to study the fine structures and metabolic dynamics in live cells. Besides, based on the atomic force microscope, FTIR microscopy has realized a spatial resolution below 100nm. Serving a mid-infrared supercontinuum generated with the chalcogenide PCF as pumping source, this nano-FTIR will become a powerful tool for chemical identification of unknown nanostructures.

## 2. Numerical modeling of supercontinuum generation

## 2.1. Nonlinear propagation equation

The propagation equation describing evolution of laser pulses in optical fibers could be derived from Maxwell's equations [34]

$$\nabla \times \mathbf{E} = -\frac{\partial \mathbf{B}}{\partial t}, \quad \nabla \times \mathbf{H} = \mathbf{J} + \frac{\partial \mathbf{D}}{\partial t}, \quad \nabla \bullet \mathbf{D} = \varrho_{f}, \quad \nabla \bullet \mathbf{B} = 0$$
(1)

where **E** and **B** are electric field vector and magnetic flux density, **H** and **D** are magnetic field vector and electric flux density respectively. J and  $\rho_f$  are current density vector and free charge density. They could be related to themselves through the constitutive relations given by

$$\mathbf{D} = \varepsilon_0 \mathbf{E} + \mathbf{P}, \quad \mathbf{B} = \mu_0 \mathbf{H} + \mathbf{M}$$
(2)

where  $\varepsilon_0$  and  $\mu_0$  are vacuum permittivity and permeability, **P** and **M** are the induced electric and magnetic polarizations respectively. In optical fibers, **J**,  $\rho_f$  and **M** all equal to zero, for they are nonmagnetic and absent of free charges.

Based on the Maxwell's equations and constitutive relations, wave equation describing light propagation in optical fibers will be

$$\nabla^2 \mathbf{E} - \frac{1}{c^2} \frac{\partial^2 \mathbf{E}}{\partial t^2} = \mu_0 \frac{\partial^2 \mathbf{P}}{\partial t^2}$$
(3)

The induced electric polarization  $\mathbf{P}$ , which in essence expresses the interaction between light and medium, will depend on the electric field strength as

$$\mathbf{P} = \varepsilon_0 [\chi^{(1)} \bullet \mathbf{E} + \chi^{(2)} : \mathbf{E}\mathbf{E} + \chi^{(3)} : \mathbf{E}\mathbf{E}\mathbf{E} + \dots]$$
(4)

where  $\chi^{(k)}(k=1,2, 3, ...)$  is the k-order susceptibility. The linear susceptibility  $\chi^{(1)}$  often contributes to the refractive index and fiber loss, while the second order susceptibility  $\chi^{(2)}$  are related to the second order nonlinearity effects such as second

harmonic generation (SHG), sum frequency generation (SFG). The third order susceptibility  $\chi^{(3)}$  is ofter accompanied by third harmonic generation (THG), four wave mixing (FWM) and so on. The second order susceptibility will be zero, because the fiber is Circular symmetric. So the induced electric polarization is

$$\mathbf{P} = \varepsilon_0 [\chi^{(1)} \bullet \mathbf{E} + \chi^{(3)} : \mathbf{E}\mathbf{E}\mathbf{E} + ...]$$
(5)

Also the induced electric polarization can be divided into two parts, the linear component  $\mathbf{P}_L$ and nonlinear component  $\mathbf{P}_{NL}$  given by  $\mathbf{P}_L = \varepsilon_0 \chi^{(1)} \bullet \mathbf{E}$ ,  $\mathbf{P}_{NL} = \chi^{(3)}$ : EEE. The relations between linear component, nonlinear component and electric field could expressed as

$$P_{\rm L} = \varepsilon_0 \int_{-\infty}^t \chi^{(1)}(t - t') \bullet \mathbf{E}(r, t') dt'$$
(6)

So Eq. (3) can also be

$$\nabla^2 \mathbf{E} - \frac{1}{c^2} \frac{\partial^2 \mathbf{E}}{\partial t^2} = \mu_0 \frac{\partial^2 \mathbf{P}_L}{\partial t^2} + \mu_0 \frac{\partial^2 \mathbf{P}_{NL}}{\partial t^2}$$
(8)

Before solving Eq. (8), some assumptions should be made to simplify it. First  $\mathbf{P}_{NL}$  will be treated as a small perturbation to  $\mathbf{P}_{L}$ , because the nonlinear changes in the refractive index is very small, less than 10<sup>-6</sup> in fact. Then the input pulse will keep its polarization when it travels in an optical fiber, to ensure the scalar approximation reasonable. At last, the input field is treated as a quasimonochromatic light, which is justified when the pulse duration is more than 100 fs.

Supposing the third order susceptibility  $\chi$  <sup>(3)</sup> has the following form

$$\chi^{(3)}(t - t_1, t - t_2, t - t_3) = \chi^{(3)} R(t - t_1) \delta(t - t_2) \delta(t - t_3)$$
(9)

with R(t) being the nonlinear resoponse function that has been normalized. So the nonlinear induced electric polarization is

$$\mathbf{P}_{NL} = \varepsilon_0 \chi^{(3)} \mathbf{E}(r, t) \int_{-\infty}^t R(t - t_1) |\mathbf{E}(r, t_1)|^2 dt_1$$
(10)

Considering above equations, the numerical equation describing evolution of an optical pulse when it travels in a single-mode fiber is

$$\frac{\partial A}{\partial z} + \frac{\alpha A}{2} - \sum_{k\geq 2} \frac{i^{k+1}}{k!} \beta_k \frac{\partial^k A}{\partial T^k} = i\gamma \left(1 + i\tau_{\text{shock}} \frac{\partial}{\partial T}\right) \left[A \int_{-\infty}^{+\infty} R(T') \times |A(T - T')|^2 dt'\right]$$
(11)

This equation is known as the generalized nonlinear Schrödinger equation (NLSE). In Eq. (11), the left side models linear propagation effects, with A being the pulse envelope variation in a retarded time frame,  $\alpha$  the fiber loss and  $\beta_k$  the k-th order Taylor series expansion of mode propagation constant around the center frequency  $\omega_0$  as

$$\beta(\omega) = \beta_0 + \beta_1(\omega - \omega_0) + \frac{1}{2}\beta_2(\omega - \omega_0)^2 + \dots$$
(12)

The right side of Eq. (11) describes the nonlinear effects, such as self-steepening, Raman scattering, etc. with  $\gamma$  being the nonlinear coefficient expressed as  $\gamma(\omega_0) = n_2(\omega_0)\omega_0/cA_{eff}$ , where  $n_2$  is nonlinear refractive index, c is the speed of light in vacuum,  $A_{eff}$  is effective mode area defined as  $A_{eff} = (\iint |F(x, y)|^2 dx dy)^2 / \iint |F(x, y)|^4 dx dy$ . Here, F(x, y) is the modal distribution for the fundamental fiber mode. The term of  $\tau_{\text{shock}}$  derives from the frequency dependence of the effective mode area  $A_{eff}$  and effective index  $n_{eff}$ , associated with effects such as self – steepening and optical shock formation. The relation of the time derivative term  $\tau_{\text{shock}}$  and effective mode area  $A_{eff}$ , effective index  $n_{eff}$  can be expressed as [35,36]

$$\tau_{shock} = \frac{1}{\omega_0} - \left[\frac{1}{n_{eff}(\omega)} \frac{\partial}{\partial \omega} n_{eff}(\omega)\right]_{\omega = \omega_0} - \left[\frac{1}{A_{eff}(\omega)} \frac{\partial}{\partial \omega} A_{eff}(\omega)\right]_{\omega = \omega_0}$$
(13)

In Eq. (13),  $\tau_{shock}$  could approximately equal to  $1/\omega_0$  when the spectral broadening is limited to 20 THz. While the spectral broadening increases to 100 THz or more, the second and third term should be taken into account [37].

R(t) is the nonlinear response function with both the electronic and nuclear contributions included. Since the electronic contribution is nearly instantaneous comparing to the nuclear contribution, R(t) could be written as [38-40]

$$\mathbf{R}(t) = (1 - f_R)\delta(t - t_e) + f_R h_R(t)$$
(14)

with  $f_R$  the fractional contribution of the delayed Raman response to nonlinear polarization,  $t_e$  the short delay in electronic response,  $h_R(t)$  the Raman response function. Often  $t_e$  is very shot (<1 fs) that it could be neglected. So the nonlinear response function will be  $R(t)=(1 - f_R)\delta(t) + f_Rh_R(t)$ . The Raman response function has different forms for fibers made of different materials. For silica fibers, a useful form of Raman response function will be [35]

$$h_{R}(t) = \left(\tau_{1}^{2} + \tau_{2}^{2}\right) \exp\left(-\frac{t}{\tau_{2}}\right) \sin\left(\frac{t}{\tau_{1}}\right) \Theta(t) \left/ \left(\tau_{1}\tau_{1}^{2}\right) \right.$$
(15)

where  $\tau_1$  and  $\tau_2$  are two adjustable parameters,  $\Theta(t)$  is Heaviside function. In a research in 1989, values of  $\tau_1$ =12.2 fs and  $\tau_1$ =32 fs were used to model the profile of Raman response, and the

result shows good fit to the actual Raman-gain spectrum of silica fiber [35]. Based the peak Raman gain, the Raman response factor could be calculated, saying about 0.18 [38].

In Eq. (15), single Lorentzian profile was used to approximate the actual Raman gain spectrum which is widely used in investigating ultrafast nonlinear process in optical fibers for its simplicity. However, this model underestimates Raman gain below 10THz, while overestimating it beyond 15THz, making the Raman induced frequency shift not so accurate. To address this issue, another model of approximating nonlinear response function was proposed as [41]

$$R(t) = (1 - f_R)\delta(t) + f_R[(f_a + f_c)h_a(t) + f_bh_b(t)]$$
(16)

with  $f_a = 0.75$ ,  $f_b = 0.21$ ,  $f_c = 0.04$ , where  $h_a(t)$  and  $h_b(t)$  have the following forms

$$h_{a}(t) = \left(\tau_{1}^{2} + \tau_{2}^{2}\right) \exp\left(-\frac{t}{\tau_{2}}\right) \sin\left(\frac{t}{\tau_{1}}\right) / \left(\tau_{1}\tau_{1}^{2}\right)$$
(17)

$$h_{b}(t) = \frac{2\tau_{3} - t}{\tau_{3}^{2}} \exp\left(-\frac{t}{\tau_{3}}\right)$$
(18)

when the parameters are  $\tau_1$ =12.2 fs,  $\tau_2$ =32 fs,  $\tau_3$ =96 fs and  $f_R$ =0.245, the simulated Raman gain curve matchs the actual Raman gain profile very well in the whole range of 0-15 THz. To make the investigation more approximate to actual Raman response, a more accurate model could be used although it has more complicated forms [42].

### 2.2. Frequency-resolved optical gating

In this chapter, we will use the predictor-corrector SSFM proposed by Lee et.al [43] to simulate evolutions of pulses in time and frequency domain. This method shows both fast calculation speed and accurate numerical results. Also the cross-correlation frequency-resolved optical gating method [44-46] (XFROG) is employed to characterize the intensity and phase profiles of the generated continuum. The method describes the pulse structure simultaneously in the time and frequency domain which is intuitive for understanding the dynamics in continuum generation.

In measurement of a continuum based on XFROG, the continuum pulse and a reference pulse should be focused on a nonlinear crystal to generate a sum-frequency signal (SFG signal) after being synchronized in the time domain by a time delay system as shown in figure 1(b). The generated SFG signals under different delay times will be recorded by a spectrometer, with which the XFROG trace could be retrieved. The XFROG trace is

$$I_{XFORG}(\omega, \tau) = \left| \int_{-\infty}^{+\infty} E_{sig}(t, \tau) exp(-i\omega t) dt \right|^2$$
(19)

with the otSFG rysignal field  $E_{sig}(t,\tau) = E(T)R(T-\tau)$  where E(T) is the optical field of a continuum which needs to be measured,  $R(T-\tau)$  the optical field of reference pulse who has a delay time the compared to the reference (pulse  $\tau - \tau$ ) where E(T) is the optical field of a continuum

It istaritical to a pease the reference pulse dirst because its intensity and phase information will be used to the pumping pulse for measurement of a continuum generated in a photonic crystal fiber, the pumping pulse is usually selected to be the reference pulse a photonic crystal fiber, the pumping pulse is usually selected to be the reference pulse of a sone as a new pulse to be measured and another as a new reference pulse as shown in figure 1(a). The symp interactor of the public crystal to the posline of crystal fiber of the posline of the reference pulse, it will measured by the specific used on the posline of crystal to generate a SEG signal that will be measured by the specific the problem of the posline of the nonlinear crystal to generate

a SFG signal that will be measured by the spectrometer. So the FROG trace will be

$$I_{FORG}(\omega,\tau) = \left| \int_{E}^{+\infty} E(T) E(T-\tau) exp(-i\omega t) dt \right|^{2}$$
(20)  
$$I_{FORG}(\omega,\tau) = \left| \int_{E}^{+\infty} E(T) E(T-\tau) exp(-i\omega t) dt \right|^{2}$$
(20)

Since the measuring pulse and reference pulse have the same intensity and phase profiles, this Since the measuring pulse and reference pulse have the same intensity and phase profiles, this FROG is called self correlation FROG [47;48].

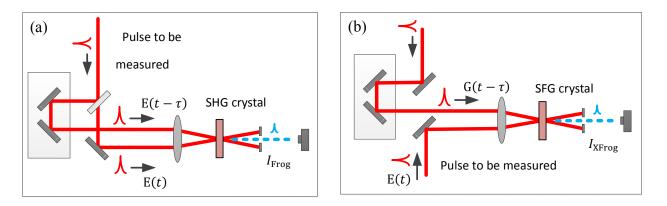


Figure 1. Schematic of (a) auto-correlation FROG and (b) cross-correlation FROG

Fig.1 Schematic of (a) auto-correlation FROG and (b) cross-correlation FROG

## 2.3. Basic numerical results

## 2.3 Basic numerical results

### 2.3.1. Calculation of dispersive parameters 2.3.1 Calculation of dispersive parameters

The bound electrons in medium acts as for forced vibration when an optical wave passes through the medium. This interaction often manifests as variation of refraction index, in which the real the medium. This interaction often manifests as variation of refraction index, in which the real parts describe the dispersion characteristic and the imaginary parts accounts for absorption of parts describe the dispersion characteristic and the imaginary parts accounts for absorption of input wave. When the endput of the imaginary parts accounts for absorption of the input wave. When the endput of the sellment of the sellment of the imaginary parts accounts for absorption of index could well approximate by the Sellmeier equation<sup>[49]</sup>

$$n^{2}(\omega) = 1 + \sum_{j=1}^{m} \frac{B_{j}\omega_{j}^{2}}{\omega_{j}^{2} - \omega^{2}}$$
(21)  
$$n^{2}(\omega) = 1 + \sum_{j=1}^{m} \frac{B_{j}\omega_{j}^{2}}{\omega_{j}^{2} - \omega^{2}}$$
(21)

where  $\omega_j$  and  $B_j$  are the j-th resonant frequency and strength. The parameters  $\omega_j$  and  $B_j$  will change with different core constituents<sup>[50]</sup>. For bulk-fused silica, the following values of  $\omega_j$  and  $B_j$  are used to fitting the real dispersion curves<sup>[51]</sup>

where  $\omega_j$  and  $B_j$  are the j-th resonant frequency and strength. The parameters  $\omega_j$  and  $B_j$  will change with different core constituents [50]. For bulk-fused silica, the following values of  $\omega_j$ and  $B_j$  are used to fitting the real dispersion curves [51]

$$B_1 = 0.6961663, \quad \lambda_1 = 0.0684043 \ \mu m$$
$$B_2 = 0.4079426, \quad \lambda_2 = 0.1162414 \ \mu m$$
$$B_3 = 0.8974794, \quad \lambda_3 = 9.8961610 \ \mu m$$

The variation of refractive index and dispersion parameter for fused silica with wavelengths are shown site figure 2 with who being the refractive index and g Beingethereficities with wavelengths are shown site figure 2 with who being the refractive index and g Beingethereficities with wavelengths are shown site figure 2 with who being the refractive index and g Beingethereficities with wavelength below about 1.3 have normal second that wavelength below about 1.3 have normal and anomalous regimes is known as zero-dispersion wavelength (ZDW).

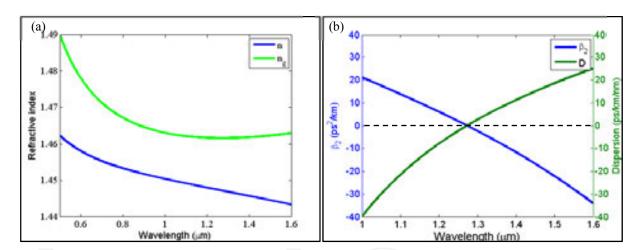


Fig.2 (a) variation of refractive index n and group index  $n_g$  with wavelength for fused silica and (b) variation of Figure 2. (a) variation of refractive index n and group index  $n_g$  with wavelength for fused silica and (b) variation of gregoup rychyels is personal dispersion brack and dispersion brack with wavelength in bulk fused silica and (b) variation of the second dispersion of the second dispersion brack and the second dispersion between the second dispersion brack and the second dispersion brack and the second dispersion between the second dispersion dispersion between the second dispersio

Then dispersive effect in optical fibbers is latelated the they Taxle reserves out mode propagation constant and the relation query  $\omega_0$ 

$$\beta(\omega) \beta(\omega) \stackrel{\omega}{=} n(\omega) \stackrel{\omega}{=} n(\omega) \stackrel{\omega}{=} \rho_0 + \frac{1}{\beta} (\omega - \omega) \stackrel{\omega}{=} \rho_1 + \frac{1}{2} \beta_2 (\omega - \omega_0)^2 + \cdots + \frac{1}{2} \beta_2 (\omega$$

where c is velocity of light,  $\beta_k$  is k-th dispersion coefficient expressed by where c is velocity of light,  $\beta_k$  is k-th dispersion coefficient expressed by

$$\beta_{k} = \left(\frac{\partial^{k} \beta(\omega)}{\partial \omega^{k}}\right)_{\omega = \omega_{0}} \qquad \beta_{k} = \left(\frac{\partial^{k} \beta(\omega)}{\partial \omega^{k}}\right)_{\omega = \omega_{0}} (23)$$

The second dispersion coefficient  $\beta_2$  accounts for the group velocity dispersion (GVD), mainly leading to pulse broadening. In fact, another dispersion parameter D is usually used to describe the dispersive effect.

The second dispersion coefficient  $\beta_2$  accounts for the group velocity dispersion (GVD), mainly leading to pulse broadening. In fact, another dispersion parameter D is usually used to describe the dispersive effect.

$$D = -\frac{2\pi c}{\lambda^2} \beta_2 = -\frac{\lambda}{c} \frac{\partial^2 n}{\partial \lambda^2}$$
(24)

Dispersive effect in a PCF is associated with both the material dispersion and waveguide dispersion while it mainly arises from material dispersion in bulk materials. Therefore, in terms of dispersion in a PCF, the fiber structure and index distribution should be both taken into account. Considering a solid-core PCF made of fused silica, the finite element method (FEM) is used to model the fundamental mode distribution for different input wavelengths [52-54]. In the modeling, the air hole diameter *d* and pitch  $\Lambda$  are set to be 1.4 µm and 1.6 µm respectively [6], leading to the cross-section profile of the PCF as shown in figure 3(a). Figure 3(b) shows a two-dimension distribution of the fundamental mode for input wavelength  $\lambda$ =0.4 µm with the material dispersion included. Based on this simulation, the effective index of the PCF  $n_{eff}$  is about 1.462353.

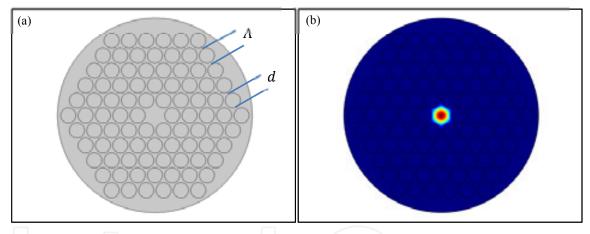
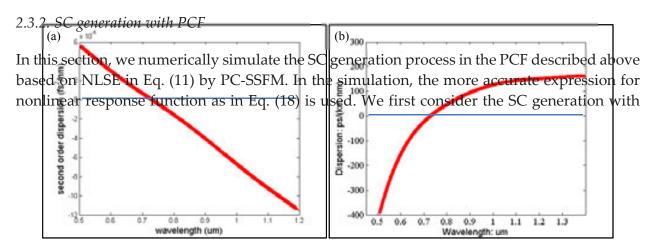


Fig.3 (a) Cross-section model of the PCF; (b) Two-dimension distribution of the fundamental mode Figure 3. (a) Cross-section model of the PCF; (b) Two-dimension distribution of the fundamental mode

By calculating every n<sub>eff</sub> corresponding to different input wavelength, the variation of effective sources n<sub>eff</sub> corresponding to different input wavelength, the variation of effective of effective variation of effective and dispersion parameters of the variation of the variation of effective and dispersion parameters of the corresponding to the variation of the variation of effective and dispersion parameters of the variation of the variation of the variation of the variation of effective and dispersion parameters of the variation of the variation of the variation of effective and dispersion parameters of the variation of the variation of the variation of the variation of effective and dispersion parameters of the variation of effective and the variation of effective and the variation of effective and the variation of effective and the variation of the variation of the variation of effective and the variation of effective and the variation of the variation of effective and the variation of effective and the variation of the



effective index with wavelength is fitted using MATLAB. Then the GVD parameter  $\beta_2$  and dispersion parameter D are obtained with Eq. (24) and the profiles with wavelength are plotted in figure 4 respectively. Obviously the ZDW locates at about 1730 pm and there is only one ZDW in http://dx.doi.org/10.5772/59987 the range from visible light to near-infrared.

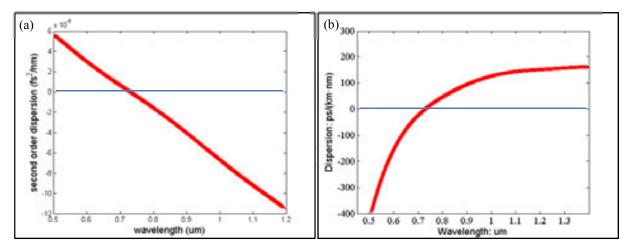


Fig. 4 Variation of GVD parameter  $\beta_2$  (a) and dispersion parameter D (b) with wavelength Figure 4. Variation of GVD parameter  $\beta_2$  (a) and dispersion parameter D (b) with wavelength

2.3.2 SC generation with PCF PCF described above with hole diameter 1.4 µm and hole pitch 1.6 µm. Because of the ZDW Inathist sootion, werpunstically simulate the Sch generation processo in the Refilescribed above based the NJoSheanpEcon(4te) by SPG-SSFW belon 1the / Similation the Bayhorseries expression for nonlinear response function  $\frac{15}{28} \times 10^{-5} \text{ fs}^2/10^{-8}$  is  $\frac{10}{28} \times 10^{-5} \text{ fs}^3 \times 1$ PCF described above with hole  $4808 \times 10^{-6} fs^6 / 1.4 \mu m$  and hole pitch 1.6  $\mu m$ . Because of the ZDW about 736snme pumption loss with sector all waveleing that 800 in the are and do to some the fiber where the nonlinear parameter is estimated to be0.113 W<sup>-1</sup>m<sup>-1</sup>. And the Taylor series expansion coefficients are  $\beta_2 = -1.581 \, \text{m}^{(0,0)-5} \, \text{m}^{\frac{t}{2}} \, \text{m}^{\frac{t}{10}} \, \text{m}^{\frac{t}{2}} \, \text{m}^{\frac{t}{10}} \, \text{m}^{\frac{t}{2}} \, \text{m}^{\frac{t}{2}}$  $10^{-4}$ fs<sup>4</sup>/nm,  $\beta_5 = 2.549 \times 10^{-4}$ fs<sup>5</sup>/nm,  $\beta_6 = -4.808 \times 10^{-6}$ fs<sup>6</sup>/nm.

Assume the mitial input pulse has a hyperbolic scant profile that could be expressed as parameter. It is worth noting that the full width at half maximum (FWHM) is  $2\ln(1+\sqrt{2})$ times as large as  $t_0$ . In this simulation, the peak power and pulse duration are  $ict^{\pm}$  as P = 10 kW,  $t_{FWHM} = 50 \text{ fs}$ , neglecting the initial chirp.  $A(0, t) = \sqrt{P} \operatorname{sech}\left(\frac{dt}{t_0}\right) \exp\left(-\frac{ict^{\pm}}{2t_0^2}\right)$ (25)

The temporal and spectral evolutions of input pulse with propagation distance are depicted being the peak power,  $t_{\rm e}$  the pulse duration at 1/*a*-intensity point. C, the initial chirp in figure 3. In the initial stage of propagation, the spectral broadening is almost symmetric. with *P* parameterd I this worthe nisting and the full wild the dishalf interimute (FyVH) is 201 (st is of) times as large ast<sub>0</sub>. In this simulation, the spectral broadening becomes strong asymmetric with distinct peaks on the long and short wavelength sides. The long wavelength components manifest the  $t_{FWHM}$  break of higher pulse into several sub-pulses, known as soliton fission [52] caused by high-

The dempopulsional spleatrapevolgtifiest of input palse with propagation distange have depicted in nents are related to SPM effect and dispersion wave generation [55,56].

With longer propagation, the SC shows larger spectral broadening mainly on the long wavelength side due to soliton self-frequency shift (SSFS) induced by stimulated Raman scattering, while the spectral broadening on the short wavelength side almost remains unchanged. The spectral broadening process is often accompanied with re-distribution of short wavelength sides. The long wavelength components manifest the breakup of input pulse into several sub-pulses, known as soliton fission<sup>[52]</sup> caused by high-order dispersion, self-steepening effect<sub>38</sub>nd<sub>hotonic chystals</sub>. The short wavelength components are related to SPM effect and dispersion wave generation<sup>[55,56]</sup>.

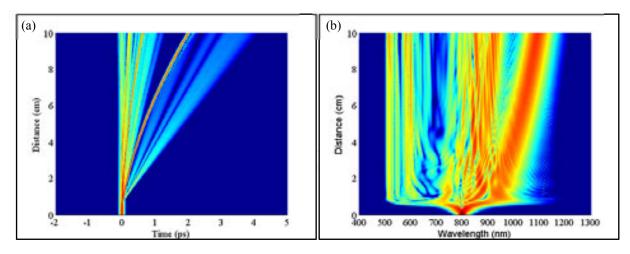


Fig.5 Temporal (left) and spectral (right) evolution over a propagation distance for input pulse centered at 800 nm with peak power <sup>10kW</sup> and with eduktion over a propagation distance for input pulse centered at 800 nm

With longer propagation, the SC shows larger spectral broadening mainly on the long components possess less. This is explained by that; With the blue-shift components as pumping wavelength, side due to soliton self-frequency, shift (SSFS) induced by stimulated Raman scatteringtrackilering spectral broadenings on the components effectively, leading to energy s scatteringtrackilering spectral broadenings on the components wavelength side almost remains unchanged. The spectral broadenings on the components with re-distribution of energy, that the long wavelength components appearents process is often accomponents in the time domain is explained by that: With the blue short of the red short of the spectral broadening in the time domain is explained by that the intensity is normalized. There are three main peaks in the time domain the red-shift components effectively is corresponding to the distinct peaks at 870 nm, 953 nm, components of the red shift of the red shift of the the object of the distinct peaks at 870 nm, 953 nm, components of the red shift of the red shift of the the object of the distinct peaks at 870 nm, 953 nm, components of the red shift of the red shift of the the object of the red shift of the the object of the red shift of the red shift of the red shift of the the object of the red shift of the

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To observe the detailed structure in figure 6(a), magnified profiles of the segments ranging from 1.1 ps to 1.8ps, and 4ps to 7ps are plotted in figure 7(a) and (b) respectively. In figure (a), the ultrafast oscillating structure is associated with two sidelobes on both side of input wavelength. The main peak belongs to a second soliton and the oscillating structure results from beating between the detailed structure is in (a) time and (b) frequency domain after 15 cm Propagation 370 nm separation and spectrum at delay time  $1b^2$  ps. There are still some fine oscillating structures lower than the two peaks in figure (a) ranging from 1.4 ps to 1.8 ps. There exists a little bump ranging from 4.6 ps to 6.5 ps in figure (a) with figure (b) being the magnification of partial structure. This bump is related to the dispersion wave generation around 546 nm

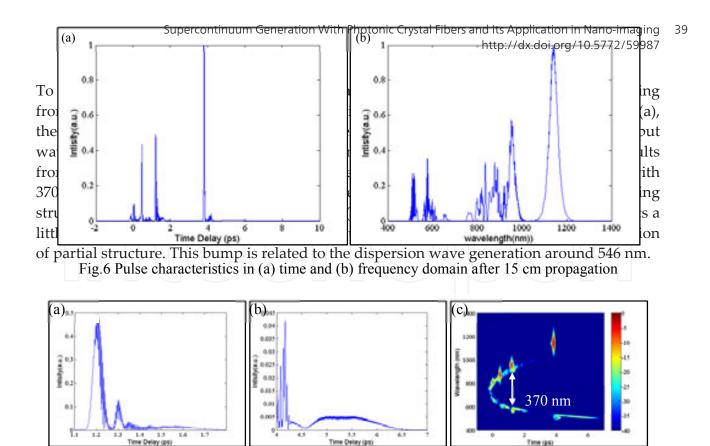


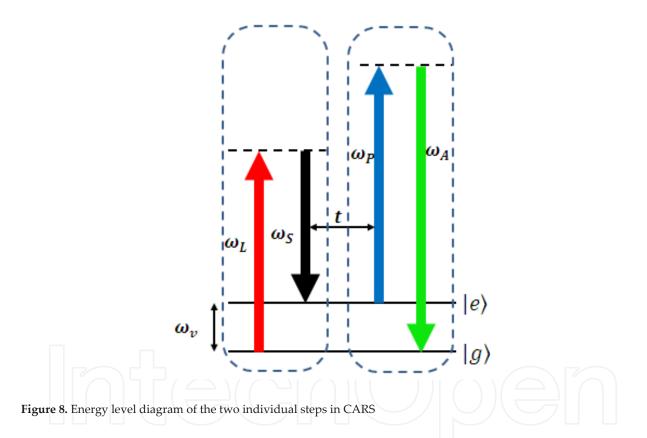
Fig.7 (a) Oscillating structure ranging from 1.2 ps to 1.7ps (b) Generated dispersion wave ranging from 4.6 ps to 6.5 ps (c) Spectrogram with 15 ps (c) Sp

## 3 Supercontinuum used in coherent anti-Stokes Raman scattering nanoscopy

### nanoscopy 3.1 Theories of CARS process

3.1 Theories of CARS process Coherent anti-stokes Raman scattering (CARS) has proven to be a promising nonlinear optical definitantinates capable of obtaining high-sensitivity and three dimensional images based on on molecular vibrational spectrum without labeling 57,58]. CARS is an example of a four-photon molecular vibrational spectrum without labeling 57,58]. CARS is an example of a four-photon processo the first first or vibrational spectrum without labeling 57,58]. CARS is an example of a four-photon processo the first first or vibrational spectrum without labeling 57,58]. CARS is an example of a non-photon processo the first first or vibrational spectrum without labeling 57,58]. CARS is an example of a four-photon processo the first first or vibration of the second second second another with Stokes integrate frequency ω<sub>L</sub> and another with stokes integrate frequency ω<sub>L</sub> and another with stokes integrate frequency ω<sub>L</sub> and another with stokes integrated, the number of phonons is equal to the generated Stokes photons. The second light-matter interactions is equal to the generated Stokes photons, the second second light-matter interactions is equal to the generated Stokes photons, interact light-matter interactions, the energy quanta of the material excitation, phonons, interact light-matter interactions, the energy quanta of the material scitation generated stokes be occur simultaneously and the where of process can be treated as a four-photon process<sup>[59]</sup>. The detected signal the full quertum picture of CARS process is depicted in Fig.8. <sup>1</sup>e and <sup>1</sup>g correspond to the vibration excited and ground state respectively. For simplicity of analysis, a single frequency

vibration excited and ground state respectively. For simplicity of analysis, a single frequency The full quantum picture of CARS process is depicted in Fig.8 (A), b and g correspond to model is provided. All laser fields-the pump, Stokes, probe, and phonons (or molecules) are quantized. All laser fields-the pump, Stokes, probe, and phonons (or molecules) are quantized. The whole CARS process can be divided into two individual steps as shown in Fig.8. In the first step, a coherent phonon population is directly created by coherent Raman scattering when a pump beam at frequency  $\omega_L$  and a Stokes beam at frequency  $\omega_S$  with frequency difference  $\omega_L - \omega_S$  tuned to a Raman-active molecular vibration  $\omega_v$  arrive at the sample and the sample 8. In the first step, a coherent phonon population is directly created by coherent Raman scattering when a pump beam at frequency  $\omega_L$  and a Stokes beam at frequency  $\omega_S$  with frequency difference  $\omega_L - \omega_S$  tuned to a Raman-active molecular vibration  $\omega_v$  arrive at the sample simultaneously via a high numerical aperture objective. The process is impulsively stimulated Raman scattering (ISRS), which is considered as the main mechanism of coherent phonon generation [60,61]. The coherent phonons are bosons and do not obey an exclusion principle. They are in a non-equilibrium state and in phase. In the second step, the coherent phonons interact with a time-delayed probe beam at frequency  $\omega_P$  to generate a blue-shift anti-Stokes signal at  $\omega_{AS} = \omega_P + \omega_v$ , leading to separation of the CARS signal from the incident laser beams conveniently and efficiently rejecting fluorescence. Delay time between coherent phonons and probe beam is certainly much shorter than the vibrational dephasing time.



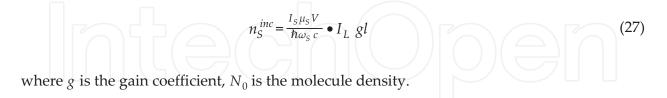
The quantum mechanical treatment of the first process, which is a second-order process involving two light-matter interactions, resembles the spontaneous Raman effect. The important difference of the two is that in CARS process, the Stokes light stems from an applied laser field. Spontaneous Raman is a weak effect because the spontaneous interaction through the vacuum field occurs only rarely. This weakness can be overcome when the spontaneous nature of the initial state to final state  $i \rightarrow f$  transition is eliminated by applying a second field of frequency  $\omega_s$ . The treatment is based on the calculation of the transition rate between the states of the molecule, which is described by Fermi's golden rule. The equation (26) predicts the growth of the generated Stokes photons, i.e., phonon number [62,63] Supercontinuum Generation With Photonic Crystal Fibers and Its Application in Nano-imaging 41 http://dx.doi.org/10.5772/59987

$$\frac{dn_{S}^{inc}}{dl} = N \bullet \frac{\pi e^{4} \omega_{L} \omega_{S}}{2\varepsilon_{0}^{2} \hbar^{2} V^{2} \mu_{L}^{2} \mu_{S} c} \mid \alpha_{R} \mid 2n_{L}^{*} [n_{S}^{*} + 1] \delta(\omega_{S} - \omega_{L} + \omega_{v})$$

$$\tag{26}$$

Consider a volume V, which contains N molecules and has a length l parallel to the beam propagation direction. The Raman transition polarizability  $\alpha_R$  plays a role similar to the classical polarizability change  $(\partial \alpha / \partial q)$ .  $\omega_L$  and  $\omega_S$  is the frequencies of pump and Stokes light, respectively. *e* is the electron charge,  $\varepsilon_0$  is the vacuum permittivity,  $\hbar$  is Planck's constant, and  $\delta$  is the Dirac delta function. $\mu_L$  and  $\mu_S$  denote the refractive indexes.  $n_S^{inc}$  indicates the increased (decreased) number of Stokes (pump) photons, i.e., the phonon number of energy  $\hbar\omega_v$  ,  $n_{phonon}$ . In the CARS process, the Stokes light stems from an applied laser field, and the  $n_{S}^{*}$  consists of the applied Stokes photon  $n_{S}$  and increased number  $n_{S}^{inc}$  that stems from the first two light-matter interaction process. Similarly,  $n_L^*$ , amounts to the pump photon number  $n_L$  subtracting the decreased number  $n_S^{inc}$ . With the use of the pump and Stokes laser light sources of sufficiently high power,  $n_S^{inc} \ll n_L$ ,  $n_S$ , the present pump and Stokes number  $n_L^* = n_L - n_S^{inc}$ ,  $n_S^* = n_S + n_S^{inc}$ , approximately amount to  $n_L$  and  $n_S$ , and the factor 1 in equation (26) can be omitted at the same time. The laser intensities  $I_L$  and  $I_S$  exist on the focal plane in the form of Gaussian distribution, and we adopt an infinitesimal region in the focal plane where the intensities can be supposed constant  $I_L = (\hbar \omega_L c / \mu_L V) n_L$ ,  $I_S = (\hbar \omega_S c / \mu_S V) n_S$ . In an fs-CARS transient, the pump and Stokes beams temporally overlapped, coherently excite the molecular field, the duration of the transitory process denoted by the coherent excitation time is negligible. The homogeneous broadening of the atomic final state converts the delta function to a Lorentzian lineshape. when  $\omega_{S} = \omega_{L} - \omega_{v}$ ,  $\delta(\omega_{S} - \omega_{L} + \omega_{v}) \rightarrow \frac{\Gamma/\pi}{(\omega_{S} - \omega_{L} + \omega_{v})^{2} + \Gamma^{2}} = \frac{1}{\pi\Gamma}$ , where  $\Gamma$ denotes the linewidth relating to the dephasing time  $T_2$  of the physical system,  $\Gamma = 1/T_2$ .

Accordingly, from the equation (26), we obtain:



$$g = N_0 \bullet \frac{e^4}{2\varepsilon_0^2 \hbar^3 V^2 \mu_L^2 \mu_S c^2} \frac{\omega_S}{\mu_L \mu_S} |\alpha_R|^2 \frac{1}{\Gamma}$$
(28)

Then, considering a molecule with just a single vibrational transition, the coherent phonon number per time unit in the first ISRS step can be written as

$$n_v = \frac{I_S \mu_S V}{\hbar \omega_S c} \bullet I_L gl$$
<sup>(29)</sup>

where  $n_v$  indicates the coherent phonon number. The interaction volume V, which contains N molecules, is defined by the diffraction-limited focal spot area  $A_{foc}$  and the interaction length l paralleling to the beam propagation direction. For  $g \propto N_0$ , it is apparent that the coherent phonon number is linearly dependent on  $N_0$ .

The phonon number subjects to a saturation effect and will not increase infinitely with the growth of incident light powers [64]. The maximum of coherent phonon number per pulse is molecule number in the focal volume. In another word, all of the molecules in the focus are excited to the vibrational state.

$$n_v^{pulse} = \frac{I_S \mu_S V}{\hbar \omega_S c} \bullet I_L \ g\tau \le N$$
(30)

Here,  $n_v^{pulse}$  is the coherent phonon number per pulse. The magnitude of the spot is roughly estimated as ~10<sup>-9</sup> cm<sup>2</sup>, corresponding to a focal volume  $V \sim 8 \times 10^{-14}$  cm<sup>3</sup>. The gain coefficient is  $g \sim N_0 \times 10^{-31}$  cm/W. From equation (30), we see that saturation of coherent phonons results in product of the pump and Stokes intensities not exceeding ~10<sup>18</sup>W<sup>2</sup>/cm<sup>4</sup>. Therefore in the first step of a T-CARS process, the pump and Stokes power density at focus is on the same order of ~10<sup>9</sup>W/cm<sup>2</sup>. In principle, if the pump and Stokes intensity exceed such an extreme value, the further increased intensity will not contribute to generation of the coherent phonons any more. In practice, however, energy of the pump and Stokes may be higher than that theoretical estimation due to the spectral broadening of femtosecond laser pulses.

Hereafter, we analyze the second step in CARS process. In the spontaneous Raman anti-Stokes process, the involved lattice vibrations called incoherent phonons are thermally excited with a density function  $n_v$  given by the Bose-Einstein distribution. In this case, oscillatory phases of the phonons are completely random. Thus, individual oscillatory motions are canceled out by each other. Spontaneous Raman scattering is an incoherent linear process and the incoherent signal is randomly scattered to  $4\pi$  solid angle, then the collected signal is [65]

$$P_{A} = N\left(\frac{\partial\sigma}{\partial\Omega}\right)_{A} n_{v} I_{L} \ \Omega_{collection}$$
(31)

with  $P_A$  representing the anti-Stokes power,  $I_L$  the incident laser intensity and  $\Omega_{collection}$  the effective collection angle. $(\frac{\partial \sigma}{\partial \Omega})_A$  is the spontaneous Raman differential scattering cross section. The scattered signal is proportional to the incident laser intensity and the occupation number of the upper Raman level. Different from spontaneous anti-Stokes Raman scattering, the second step in CARS is via introducing probe photons to interact with the coherent phonons, which are in a non-equilibrium state and in phase. Delay time between coherent phonons and probe beam is certainly much shorter than the vibrational dephasing time. Therefore, relaxation of the phonons is omitted, that is, all phonons are considered to have chances to interact with the probe photons and the impact of the delay time on the signal strength can be readily omitted. An important advantage of CARS microscopy over sponta-

neous Raman scattering microscopy is the fact that CARS signal is emitted into a  $10^{4}$ sr range, comparing to spontaneous Raman signal randomly scattered into  $4\pi$  solid angle, which provides an important information that scattering cross section  $\partial\sigma_{C}$  for the interaction of coherent phonons and probe photons is estimated to be enhanced by about five orders of magnitude <sup>[66]</sup>. In some sense, coherent process is equivalent to increasing the scattering cross section. The coherent anti-Stokes photons are confined to such a small solid angle, thus a condenser can almost completely collect the forward propagating signal. For low concentration samples, the distance between adjacent solute molecules is so great that energy of the coherent phonons cannot effectively transmit from one molecule to another. Accordingly, in the second step, the anti-Stokes signal strength is exclusively proportional to the number of coherent phonons and then linear dependence on the concentration of solute molecules. Comparing with incoherent (spherical) spontaneous Raman process, we calculate the number of the detected photons for coherent (directional) CARS in the repetition mode as

$$n_{CARS}^{low} = n_v^{pulse} \bullet n_P \bullet \frac{1}{A_{loc}} \partial \sigma_C \bullet \Delta t f_{rep}$$
(32)

In contrast, for high concentration samples, the coherent phonon energy can freely transmit among solute molecules in the focal volume, therefore in the second step, anti-Stokes signal strength isn't simply proportional to the coherent phonon number but also concerns with the molecule number. The overall T-CARS process depends quadratically on concentration, hence the anti-Stokes photon number in the repetition mode is

$$n_{CARS}^{high} = N \bullet n_v^{pulse} \bullet n_P \bullet \frac{1}{A_{foc}} \partial \sigma_C \bullet \Delta t f_{rep}$$
(33)

where,  $n_{CARS}^{low}$  and  $n_{CARS}^{high}$  denote anti-Stokes photon number in the low and high concentration samples, respectively.  $n_p$  is photon number of the probe beam per pulse. The three pulsed nearinfrared excitation beams are tightly focused with a 1.2NA water-dipping lens for deeper penetration depth to the spot area  $A_{foc}$ .  $\Delta t$  is exposure time. N is molecule number in the foci. In short, for  $n_v^{pulse} \propto N_0$ , the anti-Stokes signal strength is strictly linear and quadratic on concentration in the low and high concentration samples, respectively, which conflicts with the popular statements of CARS signal consistently quadratic concentration dependence. The linear concentration dependence is especially beneficial to quantitative analysis for low concentration samples [67-70]. In the cross area between the low and high concentration, the observed concentration dependence from the relative experiments is neither quadratic nor linear, i.e.,  $n_{CARS} \propto N^{\alpha}$ , where 1< $\alpha$ <2. An experimental proof in Figure 9 shows the dependence of T-CARS signal strength on the concentration of alcohol in pure water at C-H stretch band [66,71] (2900cm<sup>-1</sup>). We record the signal intensity at every volume fraction by 20 times to exclude the influence of signal fluctuation. When volume fraction of alcohol gradually increases, concentration dependence transits from strictly linear to sub-quadratic, until quadratic. It is apparent that when volume fraction of alcohol in water is lower than 20%, the (2900cm<sup>-</sup>). We record the signal intensity at every volume fraction by 20 times to exclude the influence of signal fluctuation. When volume fraction of alcohol gradually increases, concentration dependence transits from strictly linear to sub-quadratic, until quadratic. It is apparent that when volume fraction of alcohol in water is lower than 20%, the concentration dependence is strictly dependence of sprence the every solution of sole of the concentration of alcohol in water is lower than 20%, the concentration dependence of sole of the concentration of alcohol in water is lower than 20%, the concentration dependence of sole of the concentration of alcohol in the consists with the theoretical analysis, and more different samples will be prepared to verify the universality of the theoretical analysis.

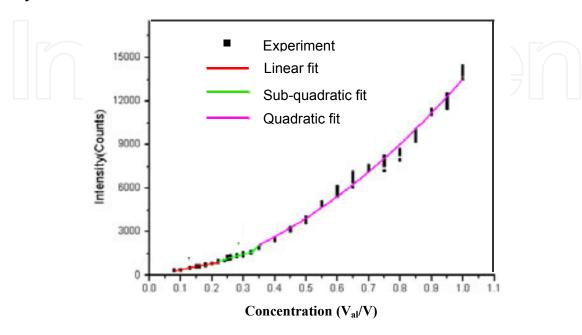


Fig.9 T-CARSintensity. Some increasing wolung fractions of alcohol in water at different volume fraction from 7% to 100%.

## 3.2 Break the lateral diffraction barrier in CARS microscopy

3.2. Break the lateral diffraction barrier in CARS microscopy

The application of CARS microscopy is limited, hevertheless, by the acquirable lateral spatial resolution, typically apoint 300mm with value astroness, signable generated from the of cales pot, which is then scanned to build up an image of the sample, a promising way to generate subscanned to build CARS images is via a mining of the sample. The promising way to generate subdiffraction-limited CARS images is via a mining of the spot to hanometer extent, as in STED<sup>[20]</sup>. Severally changes have been subjected as the scanned to build up a mining the spot of hanometer extent, as in STED<sup>[20]</sup>. Severally and the main the main of the standard and the spot of the sample of the spot of the source of a single standard and the main of the spot of the spot of the source of a single standard and the main of the spot of

We suggest an approach, the so-called additional probe-beam-induced phonon depletion (APIPD) method<sup>[25]</sup>, to visualize the resolution enhancement by the introduction of an additional

doughnut probe beam with a wavelength that is different from the Gaussian probe beam, which almost synchronizes with the pump and Stokes beams, to deplete the phonons at the periphery of the focal spot. The Gaussian probe beam that immediately follows, with a delay time less than 1ps, will yield anti-Stokes signal in the center but not at the periphery of the focal spot. The difference of the two probe beams in wavelength leads to the disparity of two anti-Stokes signals in spectra, and the signals at the periphery can be filter out by virtue of a particular filter. Consequently, the effective focal spot can be substantially reduced. Super-resolution images can be obtained by scanning the suppressed focal spot.

The rationale of our scheme is to suppress the anti-Stokes signal generation at the periphery of the diffraction-limited spot, i.e., deplete the phonons produced by the pump and Stokes light in this region, then no phonon interact with the probe photons to generate CARS signal here anymore. We adopt an additional probe beam, the first one, with frequency  $\omega_{p_1}$ , which is doughnut-mode, analogy to STED, to achieve this by interacting with phonons to generate useless anti-Stokes signal with frequency  $\omega_{A1}$  at the periphery which can be filtered out through a specific filter. The probe beam ( $\omega_{p_1}$ ) is nearly simultaneous with the pump and Stokes beams on the sample. The intensity of the first probe beam ( $\omega_{p_1}$ ) is strong enough to completely deplete the phonons at the peripheric region, while the immediately followed second probe light ( $\omega_{p_2}$ ) with Gaussian profile only generates the useful anti-Stokes signal ( $\omega_{A2}$ ) at the central part of the spot. The time delay between the two probe beams is certainly much smaller than the vibrational dephasing time. The difference of  $\omega_{p_1}$  and  $\omega_{p_2}$  results in the disparity of  $\omega_{A1}$  and  $\omega_{A2}$ , therefore we can select the specific filter to filter out the unwanted anti-Stokes signal of frequency  $\omega_{A1}$  to obtain the useful signal  $\omega_{p_2}$  at the suppressed extent of the spot. The process of the APIPD is illustrated as in figure 10.

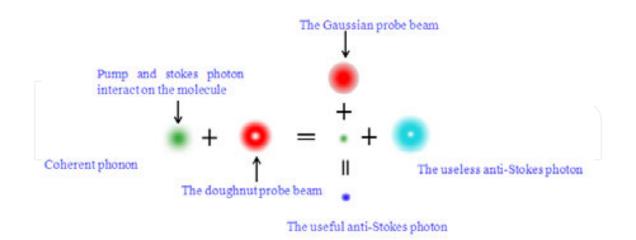


Figure 10. The illustration of the process of the APIPD method

 $f_S(r)$  and  $f_L(r)$  are the Gaussian Stokes and pump beam distribution which can be replaced by squared cosine function, corresponding to that in equation (34). $f_{P1}(r)$  and  $f_{P2}(r)$  are the first Gaussian and second doughnut probe beams, respectively, which can be similarly replaced by the squared sine and squared cosine functions. Introducing the peak intensities of  $I_L^{max}$ ,  $I_S^{max}$ ,  $I_{P1}^{max}$  and  $I_{P2}^{max}$  representing the pump, Stokes, the first and second probe beams respectively, we have four beams' spatial distribution

$$f_{L}(r) = I_{L}^{max} \cos^{2}(\pi r \mu_{L} \sin \alpha / \lambda_{L}) \quad (a)$$

$$f_{S}(r) = I_{S}^{max} \cos^{2}(\pi r \mu_{S} \sin \alpha / \lambda_{S}) \quad (b)$$

$$f_{P1}(r) = I_{P1}^{max} \sin^{2}(\pi r \mu_{P1} \sin \alpha / \lambda_{P1}) \quad (c)$$

$$f_{P2}(r) = I_{P2}^{max} \cos^{2}(\pi r \mu_{P2} \sin \alpha / \lambda_{P2}) \quad (d)$$

$$(34)$$

where  $\alpha$  is the semi-aperture of lens and  $\mu_L$ ,  $\mu_S$ ,  $\mu_{P1}$ ,  $\mu_{P2}$  are the refractive indexes,  $\lambda_L$ ,  $\lambda_S$ ,  $\lambda_{P1}$ ,  $\lambda_{P2}$  are the wavelength of the four beams, respectively.

The first doughnut probe light ( $\omega_{P1}$ ) with intensity distribution  $f_{P1}(r)$  on the focal plane, almost synchronizes with the pump and Stokes light on the sample. The second Gaussian probe light ( $\omega_{P2}$ ) with intensity distribution  $f_{P2}(r)$  follows the first doughnut subsequently within 1 ps much smaller than the vibrational dephasing time. Consequently, after the course of the first probe light, the effective point-spread-function (PSF) of the useful anti-Stokes signal ( $\omega_{A2}$ ) at the suppressed extent of the spot can be expressed as:

$$h^{*}(r) = f_{P2}(r) \left[ n_{v} - n_{v} \bullet n_{P} \bullet \frac{1}{A_{foc}} \partial \sigma_{C} \right]$$

Hence, the detailed expression of h(r) is

$$h(r) = \begin{cases} h^{*}(r), & 1 \ge n_{P} \bullet \frac{1}{A_{foc}} \eth \sigma_{C} \\ 0, & \text{others} \end{cases}$$
(35)

The first term in the square bracket of the equation (35) denotes the total phonon number, and the second term is the phonon number interacting with the first doughnut probe photons at any position of the focal volume. Here A, the cross section area of the volume V, is V/l. N is the molecule number. When the second term in the square bracket is not larger than the first term, i.e., phonon number interacting with the first doughnut probe beam is not larger than the total phonon number generated by the pump and Stokes beams, the expression  $h^*(r)$  is tenable, or else, the phonons have been depleted before the second probe beam arrives and h(r)=0, therefore, the PSF in the whole space is a piecewise function expressing as:

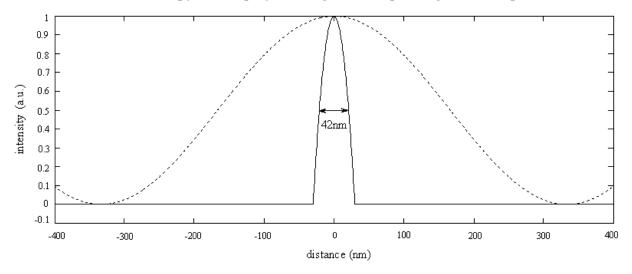
$$h(r) = \begin{cases} h^{*}(r) 1 \ge n_{P} \bullet \frac{1}{A_{foc}} \eth \sigma_{C} \\ 0 \qquad else \end{cases}$$
(36)

The full width at half maximum (FWHM) of  $h^*(r)$ , denoted by  $\Delta r$ , is approximated by a Taylor series expansion of  $h^*(r)$  to the second order:

$$\Delta r = \sqrt{2} \frac{\lambda}{\pi n \sin \alpha \sqrt{3 + K}} \approx \frac{0.9}{\sqrt{3 + K}} \bullet \frac{\lambda}{2n \sin \alpha}$$
(37)

Here, influence of the refractive index difference and wavelength difference of the pump, Stokes and probe beams are negligible, and both of them are uniformly expressed as  $\lambda$  and *n*. *K* describes magnitude of the doughnut probe beam. Resembling the STED microscopy, the effective PSF, in which the useful anti-Stokes signal ( $\omega_{A2}$ ) is measured, becomes deformed by the unwanted anti-Stokes signal ( $\omega_{A1}$ ) generation. Resolution is enhanced via a factor of square root of the nonlinear order K, namely depletion level, defined by  $K = I_{P1}^{max} / I_{P2}^{max}$ . Apparently, if no doughnut probe beam introduced, namely K = 0, the equation (37) largely reproduces the CARS nonlinear optical microscopy's lateral resolution, which is about  $\sqrt{3}$  times better than that of linear optical microscopy. With the gradually increasing of K, the lateral spot width decreases continually, following a square-root law, i.e., resolution is increased by a factor of square root of K. In principle, almost no limitation to super-resolution can be obtained. The resolution enhancement technique can yield an effective focal spot which can be fundamentally reduced, theoretically, to an infinitesimal spot, approximating to the size of a molecule or even further to sub-molecular dimensions. Scanning the suppressed spots automatically renders images with resolution breaking the Abbe's diffraction barrier. Our approach can only fundamentally reduce the focal spot in the lateral direction.

Taking K $\approx$ 50 to obtain a lateral resolution offor instance, the lateral resolution attainable using this microscopy is approximately ~40 nm, indicating an approach to 5-fold improvement in x or y direction over the diffraction barrier. The PSFs of the traditional and the resolution enhanced CARS microscopy are displayed in figure 11 exploiting the same parameter.



**Figure 11.** Simulation of the point spread function (PSF) of the proposed resolution enhanced CARS microscopy (green, solid line) contrasting with the traditional system (black, dashed line). The new technique indicates that roughly approximate to 8-fold improvement in lateral direction over the diffraction barrier.

In the APIPD scheme, a super-continuum (SC) source generated from a photonic crystal fiber (PCF), as the pump and Stokes pluses, is provided with broad spectral width that allows simultaneous detection over a wide range of Raman shifts. We adopt 500nm and 800nm as the central wavelength of the first and second probe beam, resulting in absolutely distinguishing the two sets of anti-Stokes signals from each other in spectrum. The unwanted anti-Stokes signal on the periphery can be filter out to achieve resolution enhanced images of the molecule specified by its broadband even total CARS spectral signals not only by the anti-Stokes signal of its particular chemical-bond.

## 3.3. SC used in CARS nanoscopy

The traditional CARS device consists of a pump and stokes pulses with a frequency  $\omega_L$  and  $\omega_S$  respectively. And the two beams focus onto a sample after being temporally overlapped. The two waves interact together through the third-order susceptibility to generate a blue-shift anti-stokes signal. CARS being a resonant process, the anti-Stokes signal is strongly enhanced when  $\omega_L - \omega_S = \Omega_r$ . To avoid the use of two synchronized laser oscillators emitting the pump and Stokes frequencies required in the process, several previous studies have demonstrated multiplex CARS system by using photonic crystal fibers (PCF) [4]. Super-continuum (SC) source generated from a PCF, as the pump and Stokes pluses, is provided with broad spectral width that allows simultaneous detection over a wide range of Raman shifts. The specific and decisive technical advantage in using PCF for CARS measurements is the possibility to generate both pump and Stokes radiations from a single laser. Figure 12 depicts the simple and multiplex CARS process in an energy diagram, the vibrational (or rotational) levels of energy of molecules being schematized by  $\omega_R$ .

In our scheme, a continuum pulse generated from a PCF, as the pump and Stokes pluses, is provided with broad spectral width that allows simultaneous detection over a wide range of Raman shifts. We adopt 500nm and 800nm as the central wavelength of the first and second probe beam, resulting in absolutely distinguishing the two sets of anti-Stokes signals from each other in spectrum. The unwanted anti-Stokes signal on the periphery can be filter out to achieve resolution enhanced images of the molecule specified by its broadband even total CARS spectral signals not only by the anti-Stokes signal of its particular chemical-bond.

Good compatibility with practical application requirements and acquisition time in CARS microscopy is made with a continuum pulse serving as the Stokes which is generated by injecting ultrashort pulses into a PCF with high nonlinearity. Because of its broad spectra range, frequency difference between the pump and Stokes can cover most of the biologically interesting fingerprint region. Therefore, most distinct vibration modes, perhaps full modes even, can be probed simultaneously by a probe pulse as long as different frequency components in the generated SC propagate at about a same speed, known as broadband CARS spectroscopy.

It is critical to generate a very SC pulse to meet its application in CARS microspectroscopy. To acquire the full CARS spectrum of a certain molecule, the frequency difference should at least cover the fingerprint region from 500 cm<sup>-1</sup> to 3000 cm<sup>-1</sup> at a same moment. This determines that the generated SC pulses have the following characteristics: (i) the spectral bandwidth is broad

Supercontinuum Generation With Photonic Crystal Fibers and Its Application in Nano-imaging 49 http://dx.doi.org/10.5772/59987

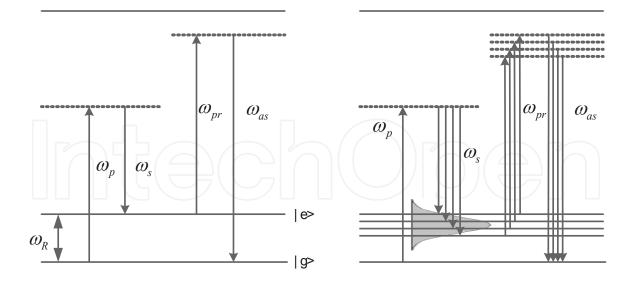


Figure 12. Single CARS process (left) and multiples CARS process with a broadband Stokes pulse

enough, (ii) various components in SC propagate at about a same speed, (iii) spectral intensity should be large and uniform.

### 3.3.1. SC generation in traditional PCFs

Although dispersive property of a PCF leads to different propagating velocities of different frequency components in the generated SC, soliton pulse trains from a PCF have been considered as the Stokes in many CARS spectroscopy schemes [75-77]. In this part, we will detailed discuss the generation and characteristics of the soliton pulse trains used in CARS spectroscopy.

When an ultrashort pulse travels in a nonlinear material such as a PCF, different frequency components in it will propagate at different velocity, because of the dispersive effect, including material dispersion and waveguide dispersion. In the anomalous regime, this dispersive effect manifests blue-shift components moving faster than the red-shift components, leading to the temporal broadening. At the same time, SPM generates a nonlinear chirp which is negative near the leading edge and positive near the trailing edge. Therefore the propagating speed decreases near the leading edge and increases near the trailing edge, making the pulse narrow down. Under certain conditions, the optical envelope will keep its shape and propagating velocity known as optical soliton [78,79].

As discussed in section two, distinct peaks in time domain are obvious. Because the soliton ejected earlier has larger group velocity, higher peak power and shorter durations, it will propagate faster than others. So the separation between these peaks becomes larger with a longer propagation distance. Figure 13 shows the spectrograms of the generated SC when the propagation is 10 cm, 15 cm, 20 cm and 25 cm. The input pulse is central at 800 nm with peak power 10kW and pulse duration 50fs as before. From the figures, the first-order soliton shifts from 2 ps to about 8.5 ps when the propagation changes from 10 cm to 25 cm gradually. Also

15 cm, 20 cm and 25 cm. The input pulse is central at 800 nm with peak power 10kW and pulse duration 50fs as before. From the figures, the first-order soliton shifts from 2 ps to about 8.5 ps when the propagation changes from 10 cm to 25 cm gradually. Also the time delay between the time delay between solitions becomes larger with a longer propagation distance by making contrast of the four graphs. For the dispersion wave on the short wavelength side, time delay For the dispersion wavest on the short wavelength side time delay for the dispersion wave on the short wavelength side time delay components also becomes larger. The time expansion wave on the short wavelength side, time delay for the dispersion invavest on the short wavelength side time delay for the dispersion invavest on the short wavelength side time delay for the dispersion invavest on the short wavelength side to the propagation at states in the short wavelength side time delay for the dispersion invavest on the short wavelength side to the propagation at states in the short wavelength side to the propagation at the four graphs. The shifting of solitons in time domain is corresponding to the spectral shifting. The central is wavelength of the first-order soliton shifts from 1100 nm to 1200 nm with the propagation from 1100 nm to 1200 nm with the propagation from 10 cm to 25 cm.

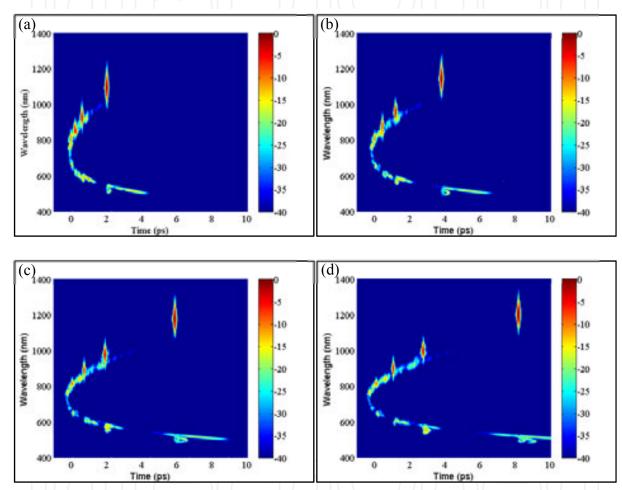


Fig.13 Spectrograms at different propagation distances for input pulse at 800 nm with peak power 10kW and pulse duration 50fs (a) thuration 150fs; (c) (a) 10; cm; (c) 20 cm; (c) 20 cm; (d) 25 cm;

Although soliton trains will shift towards long-wavelength side due to SSFS [80,810,the pulse duration and spectral bandwidth of first-order soliton are nearly invariable. Figure 14 shows duration and spectral bandwidth of first-order soliton are nearly invariable for signification of the first-order soliton are nearly invariable for soliton and the pectral bandwidth of first-order soliton are nearly invariable for soliton distance with (a) (d) at 10 both the pump and Stokes just for it has shorter duration and wider spectral bandwidth. It is (d) at 10 cm, (b) (e) at 15 cm and (c) (1) at 25 cm and (c) (1) at 25 cm and spectral bandwidth about 47 pump and Stokes just for pit das a pulse duration about 30 is and spectral bandwidth about 47 pump and Stokes instance duration about 30 is and spectral bandwidth about 47 pump and Stokes instance duration about 30 is and spectral bandwidth about 47 pump and Stokes instance duration about 30 is and spectral bandwidth about 47 pump and Stokes instance duration about 30 is and spectral bandwidth about 47 pump and Stokes instance duration about 30 is and spectral bandwidth about 47 pump and stokes instance duration about 30 is and spectral bandwidth about 47 pump and stokes instance duration about 30 is and spectral bandwidth about 47 propagation distance. With further propagation, the pulse duration will increase from 30 to 42 fs, accompanied with the spectral bandwidth decreasing from 47 to 41 nm induced by high-order dispersive and nonlinear effects. Of course the bandwidth is increasing with improving the peak power, but quite few. nm induced by high-order dispersive and nonlinear effects. Of course the bandwidth is increasing with improving the peak power, but quite few.

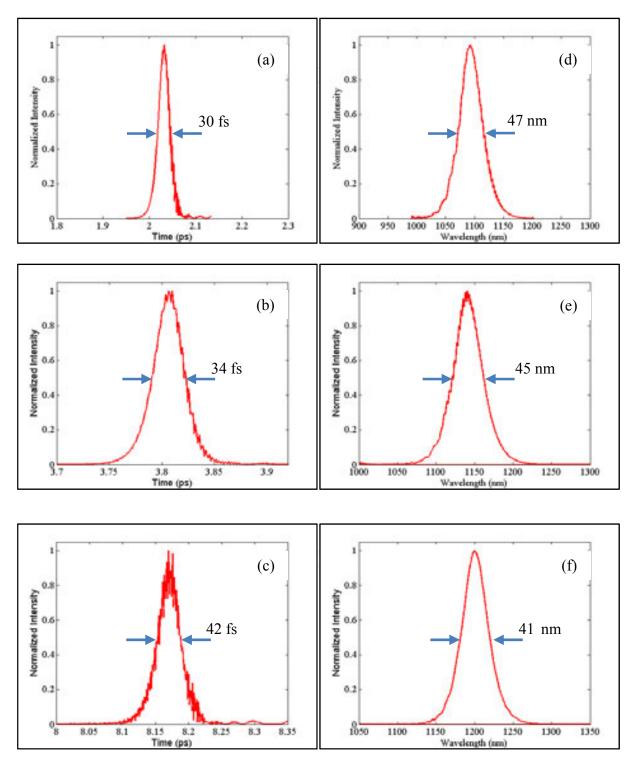


Fig. 14 (a ~ c) temporal and (d ~ f) spectral structure of the first-order soliton with (a) (d) at 10 cm, Figure 14. (a ~ c) temporal and (d ~ f) spectral structure of the first-order soliton with (a) (d) at 10 cm, (b) (e) at 15 cm and (c) (f) at 25 cm (b) (e) at 15 cm and (c) (f) at 25 cm

Though this first-order soliton shows good temporal and spectral structures, the limited spectral bandwidth makes it not the best choice for CARS microspectroscopy. That is because the pump and Stokes (soliton pulse) can resonant only few molecular bonds instead of the whole bonds, leading to a CARS spectrum with few Raman distinct peaks. To acquire all the Raman distinct peaks simultaneously, SC with both good temporal structure and broad spectral bandwidth is

Though this first-order soliton shows good temporal and spectral structures, the limited spectral bandwidth makes it not the best choice for CARS microspectroscopy. That is because the pump and Stokes (soliton pulse) can resonant only few molecular bonds instead of the whole bonds, leading to a CARS spectrum with few Raman distinct peaks. To acquire all the Raman distinct peaks simultaneously, SC with both good temporal structure and broad spectral bandwidth is needed.

3.3.2. SC with all-normal dispersion PCF

Recent studies show that SC with broad spectral bandwidth, uniform intensity profile and good coherence is obtained by launching ultrashort laser pulses into an all-normal-dispersion PCF [82,83]. These PCFs exhibit a convex dispersive profile which is flat near the maximum dispersion wavelength (MDW). And they possess none ZDW point in the visible and nearinfrared spectral region, known as all-normal dispersion. Without anomalous dispersion laser<sup>[84]</sup>escalsebso generation in the second secon

In the following simulations, an all-normal dispersion PCF (from NKT Photonics) with hole In the following simulations, an all-normal dispersion PCF (from NKT Photonics) with hole diameter 0.5616 µm and hole pitch 1.44 µm is used. Figure 15 shows the cross-section and dispersion profit of the all-mormal dispersion PCF respectively Fibram figure, (b), cit is taken at that this fiber showshout and hole pitch 1.44 µm is used. Figure 15 shows the cross-section and dispersion profit of the all-mormal dispersion PCF respectively Fibram figure, (b), cit is taken at that this fiber showshout and hole pitch 1.0 ps/nm • km at wavelength about 1060 nm, at dispersion parameter D is estimated about -10 ps/nm • km at wavelength about 1060 nm, at which point the nonlinear coefficient is about 37 W<sup>-1</sup>m<sup>-1</sup>.

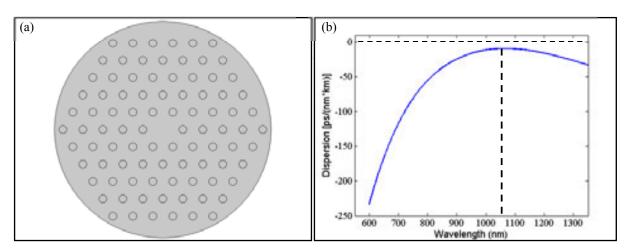


Fig.15 (a) Cross-section model used in simulation and (b) dispersion profile of the all-normal dispersion PCF

Figure 15. (a) Cross-section model used in simulation and (b) dispersion profile of the all-normal dispersion PCF

Temporal and spectral evolutions with propagating distance are shown in figure 16 when hyperbolic secant pulses centered at 1060 nm with pulse duration 100 fs and peak power 30 kw are injected into the PCF. From figure 16 (b), the spectral broadening is first concluded at the short wavelength through propagation about 38 mm, then at the long wavelength side about 56mm. The spectrum will gain no more broadening with further propagation, except that the generated SC has a smoother spectral profile. In temporal domain, the pulse duration changes a little in the initial

Temporal and spectral evolutions with propagating distance are shown in figure 16 when hyperbolic secant pulses centered at 1060 nm with pulse duration 100 fs and peak power 30 kw are injected into the PCF. From figure 16 (b), the spectral broadening is first concluded at the short wavelength through propagation about 38 mm, then at the long wavelength side about 56mm. The spectrum will gain no more broadening with further propagation, except that the generated SC has a smoother spectral profile. In temporal domain, the pulse duration changes a little in the initial stage, but increases gradually with further propagation. And the input pulse keeps its character of single pulse all the time in propagation.

To focus more detailed structures in temporal and spectral domain, evolution slices at different propagating distances are plotted in figure 17 with linear scales. The most notable feature in time domain lies in the conservation of a single pulse during the whole propagation. Although the pulse is broadening during the propagation, self-steepening effect leads to a steeper trailing edge which is clear in slices within 3 centimeters' propagation. After that, the pulse edges becomes steeper which makes the pulse shape like a rectangular function, because even weak dispersion effect also brings about significant changes of pulse shape under abundant SPM-induced frequency chirp. Oscillating structure near the trailing edge as shown in the left graph with 3cm propagation derives from pulse distortion induced by high-order dispersion. And the oscillations near pulse edges are related to optical wave breaking [85].

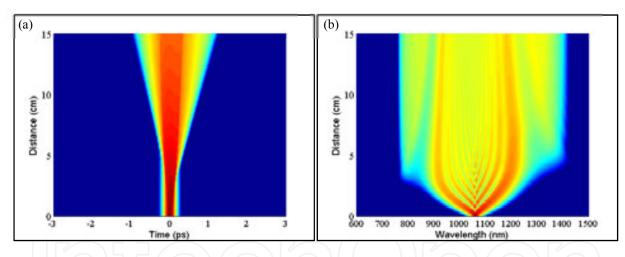
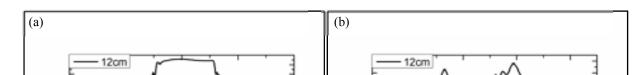


Fig. 16 Temporal (left) and spectral (right) evolutions over propagation distance for input pulse Figure 16. Temporal (left) and spectral (right) evolutions over propagation distance for input pulse centered at 1060 nm with peak powertered at 1060 nm with peak powertered at 1060 nm with peak powertered at 1060 nm with peak power 30 kW and pulse duration 100 fs

In spectral domain, the spectral broadening induced by SPM effect is significant with a clear oscillating structure through the full wavelength. The SPM-induced spectral broadening oscillating structure through the full wavelength. The SPM-induced spectral broadening oscillating structure through the full wavelength a clear SPM-induced spectral broadening oscillating structure through the full wavelength a clear SPM-induced spectral broadening oscillating structure through the full wavelength a clear SPM-induced spectral broadening oscillating structure through the full wavelength a clear SPM-induced spectral broadening oscillating structure through the full wavelength with reference on point and spectral broadening induced by SPM-induced spectral broadening oscillating structure through the full wavelength with reference on point and spectral broadening induced by SPM-induced spectral broadening oscillating structure through the full wavelength with reference on point and the read of the same phenoments near leading edge transfer faster and catch up with the red components near leading edge, structure is splained by optical wave breaking of the same read of the same phenoments of the same phenoments of the same phenoments near leading edge transfer faster and catch up with the red components near leading edge transfer faster and catch up with the red components near leading edge transfer faster and catch up with the red components near leading edge transfer faster and catch up with the red components near leading edge transfer faster and catch up with the red components near leading edge transfer faster and catch up with the red components near leading edge transfer faster and catch up with the red components near leading edge transfer faster and catch up with the red components near leading edge transfer faster and catch up with the red components near leading edge transfer faster and catch up with the red components near leading edge transfer faster and catch up with the red components near leading edge tran



transfer faster and catch up with the red components near leading edge, leading to the interference between them. The blue-shift components near the trailing edge are just an opposite to that. This oscillating structure in spectral domain and the oscillations near pulse edges in the temporal domain are manifestations of the same phenomenon.

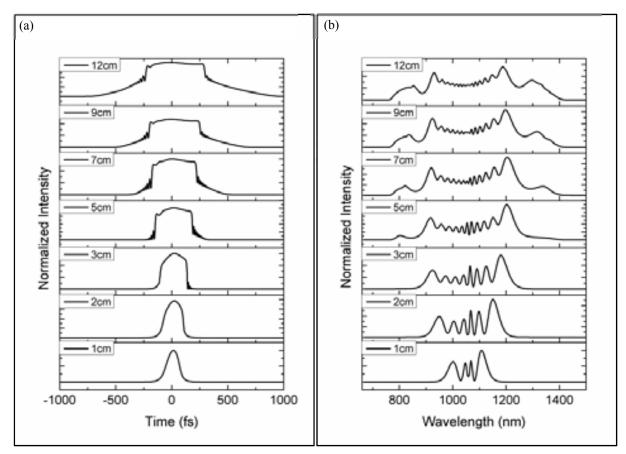


Fig.17 Evolution slices at different propagation distances in temporal (left) and spectral (right) domain

Although SC generated in all-normal dispersion PCF has good temporal and spectral spectral (right) domain and spectral structures hough the study the spectra of input pulses good thems for generation, such as pulse duration, pulse energy and so on. First, the central wavelength, pulse duration and fiber length are restricted to show the impact

First, the central wavelength, pulse duration and fiber length are restricted to show the impact First, the central wavelength, pulse duration and fiber length are restricted to show the impact of pulse energy on SC generating. The input pulses are centered at 1060 nm with pulse duration of pulse energy on SC generating. The input pulses are centered at 1060 nm with pulse duration 100 fs and propagation that are an energies ranging from 2 nJ to 10 nJ. It is clear that the generated SC shows larger spectral broadening, much more than 600 nm with pulse energy 4 nJ. For a higher pulse energy, the SC generating is much influenced by the SPM and self-steepening effects, leading to the distinct peaks on each side of the pump wavelength. But the intensity near the pump dips more due to them. The spectral bandwidth is increasing, but the increment becomes small, with pulse energy.

Figure 18(b) shows the impact of pulse duration on generated SC with peak power being a constant 30 kW. The relation between peak power and pulse duration is  $E=P \bullet \Delta \tau$  with E being pulse energy, P and  $\Delta \tau$  being peak power and pulse duration at half maximum. It is clear that the spectral broadening changes few with different pulse durations. The spectrum reaches 600 nm when the peak power keeps 30 kW. With larger pulse duration, the oscillating structures

energy, the SC generating is much influenced by the SPM and self-steepening effects, leading to the distinct peaks on each side of the pump wavelength. But the intensity near the pump dips more due to them. The spectral bandwidtheis intereasing to the line energy.

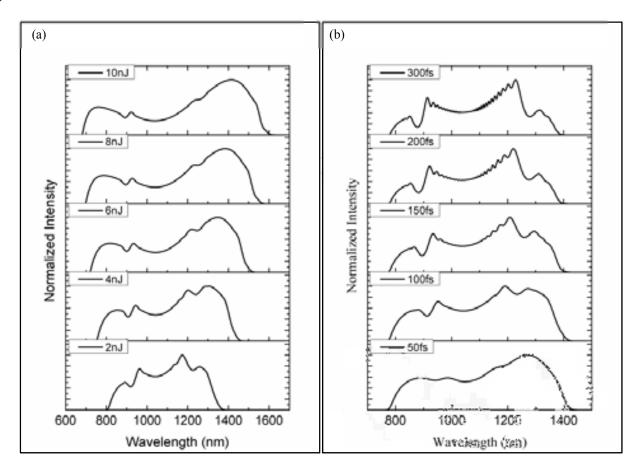


Figure 18. SpEigal & Spectral broadening with (d) fferent pulse (a) energies and (b) durations

Figure: tp8(b) shows the moment volume at the sector of th

Although the generated SC has a tail towards the MDW with much lower amplitude Although the generated SC has a larger spectral broadening when the PCE is pumped near than the peaks induced by SPM. There are obviously small tails near the leading edge for 1200 near the MDW, phenimpacts inforced a spectral broadening the spectral broadening when the PCE is pumped near figure 19, ptenimpacts inforced a spectral broadening the spectral broadening edge for 200 for 200 for 200 for 100 near the most spectral spectral spectral spectral broadening edge for 200 for 200

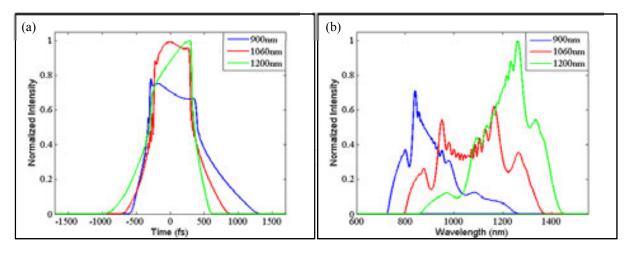
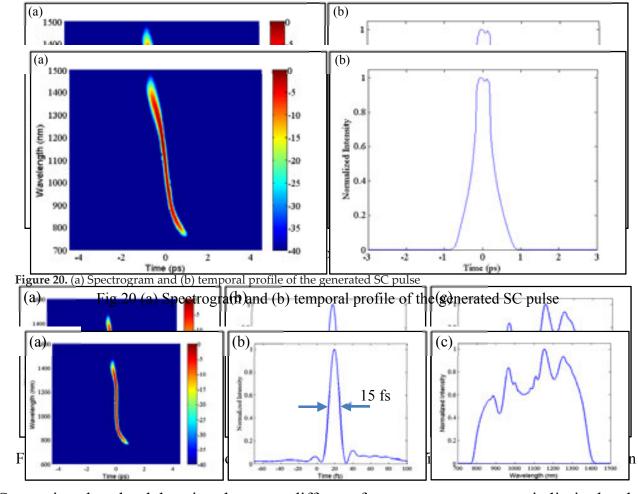


Fig 19 Pulse shapes with different pump wavelengths in (a) temporal and (b) spectral domain Figure 19. Pulse shapes with different pump wavelengths in (a) temporal and (b) spectral domain

From above analyses and discussions the all snormal dispersion PGFashould bet pump pear the maximapa dispersionit point iveith proper peak pootle with sholter durbe on totigenerate an escellent SC suitable for CARS spectroscopy with broad spectral bandwidth, uniform spectral intensities and strong tails near the pulse edges and bad flatness of spectral intensity profile. And the fiber smootheapdhexcellentytemporal structure with smoother base distribution flathe spectral intensity profile whiteh proves smooth with shorter pulse duration under the same peak power. Although higher peaks power us beneficial traspectral spreadening it often causes with ong stails mean the pulse edges anandadulfarmessyon specifiar intentsity phone malidispressifiber Chergenspectation very intertant, pulse can be expanded to 600~ nm (from ~800 nm to 1400~ nm) after 12 cm propagation with because a longer fiber length makes a more flat spectral profile while temporal structure becomes the spectrogram of generated SC being displayed in figure 20(a). This SC shows good spectral bad. continuity and uniformity with tails on both the long and short wavelength sides caused by Bised of the Bassic experimental families, the test concerted istribution of the spense duration SC pulse with slightly asymmetric structure towards the tailing edge. And the tails on long 50 fs and pulse energy 2nJ are injected into the all-normal dispersion PCF. The spectrum of output and short wavelength sides are related to the pedestals near leading and trailing edges. From pulse can be expanded to 600e wave (to an fear to have been and poly of the second propagation and the spectrophan is predaminent sourcentic, aisida waken the giseezona compensation nows easide spectral continuity exploit uniformity with this inon that the these pands short every length pridese thused by high-order dispersion. Figure 20(b) definitions trates the temporal distribution of the generated SC gating speed of different frequency components. In terms of such small dispersion, a pair of pulse with slightly asymmetric astructure towards the tailing edge grand after temporal, long and short wavelepgthilsidese adespelated tomber pedestals pleate deadiggrand, trailing ledgesh & spentifiguren (b), the delay (b) the temporal profile and (c) the spectral profile. After 2 lispersion compensation, most components in the generated SC are propagating at a same speed, except the tails on long and predominantly quadratic which makes the dispersion components at one propagation much easier of high-order Todespersionthisoconfigurate), put spulstod Grates of getrescept, Citaison eccessary too compensate the

To isperiour thisoconfiguration), philspulstod CARRS opectroscopy, Citisison processary too bombensate the delay time induced by dispersive effect and other honlinear effects, reading to a same propagating profile on a linear scale with bandwidth over 600 nm. And the spectral intensity possesses a speed of odifferent frequency components. In terms of such small dispersion, a pair of prisms made of BK7 glass are used to compensate it. The spectrogram and temporal, spectral profiles after dispersion compensation are plotted in figure 21, with (a) being the spectrogram, (b) the temporal profile and (c) the spectral profile. After dispersion compensation, most components in the generated SC are propagating at a same speed, except the tails on long and short wavelength sides, for the prisms are not effective enough to compensation of high-order dispersion. From figure (b), Supercontinuum Generation With Photonic Crystal Fibers and Its Application in Nano-imaging 57 http://dx.doi.org/10.5772/59987



Supposing that the delay time between different facquency components is dimited atoless than Figure 21. (a) Spectrogram, (b) temporal profile and (c) spectral profile after dispersion compensation 40 fs, it is estimated that the useful components still span over 400 nm from 900 to 1300 nm. This Supposing that the delay time between different frequency, components is limited to less than SC after dispersion compensating shows wonderful temporal structures, broad spectral bandwidth, 40 fs, it is estimated that the useful components still span over 400 nm from 900 to 1300 nm. This sc after dispersion compensating shows wonderful temporal structures, broad spectral bandwidth, 40 fs, it is estimated that the useful set were still span over 400 nm from 900 to 1800 nm. This and uniform spectral intensity, which make it well, suited for time resolved applications, especially SC after dispersion compensating shows wonderful temporal structures, broad spectral bandwidth, CARS microspectral intensity, which make it well, suited for time resolved applications, especially suggested for the high-order dispersion compensation CARS spatial back of the high-order dispersion compensation.

suggested for the high-order dispersion compensation<sup>[86,87]</sup>

# 4 Supercontinuum used in infrared nanoscopy 4. Supercontinuum used in infrared nanoscopy

# 4.1 Supercontinuum used in infrared nanoscopy 4.1. Theory of Infrared absorption spectroscopy

## 4.1 Theory in and the distance of the province of the province

enables the nondestructive, label-free extraction of biochemical information and images<sup>88]</sup>. The I have a some the nondestructive and the extraction of biochemical information and images<sup>88]</sup>. The I have a significated and the some the extraction of biochemical information and images<sup>88]</sup>. The interacts with the molecule, the enables the nondestructive, label-free extraction of biochemical information and images<sup>88]</sup>. The enables the nondestructive, label-free extraction of biochemical information and images<sup>88]</sup>. The enables the nondestructive, label-free extraction of biochemical information and images<sup>88]</sup>. The vibrations of IR absorption is that, when an infrared light interacts with the molecule, the physical basis of IR absorption is that, when an infrared light interacts with the molecule, the electrical field of the radiation interacts with fluctuations in the dipole moment of the molecule. If vibrations or rotations in a molecule may cause a net change in the dipole moment. The alternating the frequency, of the radiation matches, the vibrational frequency of the molecule, the physical basis of the radiation matches, the vibrational frequency of the molecule then the the frequency of the radiation matches the vibrational frequency of the molecule, then the electrical field of the radiation interacts with fluctuations in the dipole moment of the molecule. If radiation will be absorbed<sup>[89,90]</sup> Every material has its unique IR absorption spectra that can be the frequency of the radiation matches the vibrational frequency of the molecule, then the used as a "fingerprint" for identification. Absorption in the infrared region results in changes in radiation will be absorbed. Every material has its unique IR absorption spectra that can be vibrational and rotational status of the molecules. The absorption frequency depends on the used as a "fingerprint" for identification. Absorption in the infrared region results in changes in

moment of the molecule. If the frequency of the radiation matches the vibrational frequency of the molecule, then the radiation will be absorbed [89,90]. Every material has its unique IR absorption spectra that can be used as a "fingerprint" for identification. Absorption in the infrared region results in changes in vibrational and rotational status of the molecules. The absorption frequency depends on the vibrational frequency of the molecule, whereas the absorption intensity depends on how effectively the infrared photon energy can be transferred to the molecule, and on the change in the dipole moment that occurs as a result of molecular vibration [91-93]. In a word, a molecule will absorb infrared light only if the absorption causes a change in the dipole moment. Infrared spectroscopy is widely applied to various samples such as liquid, gas, and solid-state matter to identify and to quantify the unknown materials. It is an effective technique to identify compounds and is used extensively to detect functional groups.

Collecting of IR spectra signal usually occurs in two different ways. One is the conventional dispersive-type spectrometer, which employs a grating or a prism to disperse light into individual frequencies, and a slit placed in front of the detector to determine which frequency to reach the detector [94]. However, dispersive-type spectrometer is outdated today. Modern IR spectrometers are the so-called Fourier transform infrared absorption (FTIR) spectroscopy instruments [95,96]. All the FTIR spectrometer operates on the Fourier transform principle, and refers to the manner in which the data is collected and converted from an interference pattern to a spectrum. FTIR spectrometers have progressively replaced the dispersive instruments for most applications due to their superior speed and sensitivity. They have greatly extended the capabilities of IR spectroscopy and have been applied to many fields that are very difficult or nearly impossible to study by dispersive instruments [97,98]. FTIR can be utilized to measure some components of an unknown mixture and is currently applied to the analysis of solids, liquids, and gases.

The Basic FTIR System as shown in figure 22, there are mainly four parts: Light source, interferometer, sample compartment, and the detector. The beam splitter divides the incoming infrared beam into two beams. One beam reflects off the fixed mirror, and the other beam reflects off the moving mirror, constituting a Michelson interferometer. After reflected from the two mirrors, the divided beams meet each other again at the beam splitter. Approximately 50% of the light passes through the beam splitter and is reflected back along its path by a fixed mirror, and half of the light is reflected by the same beam splitter. The other 50% fraction of the incident light is reflected onto a moving mirror. Light from the moving mirror returns along its original path and half of the light intensity is transmitted through the sample cell, to the infrared sensor. Thus 25% of the incident light from the source reaches the sensor from the fixed mirror and 25% from the moving mirror. As the path length of the two light beams striking the sensor will differ, there will be destructive and constructive interference.

The beam from the moving mirror has traveled a different distance than the beam from the fixed mirror. When the two beams are combined by the beam splitter, an interference pattern is created, since some of the wavelengths recombine constructively and some destructively. This interference pattern is called an interferogram. This interferogram then goes from the

Supercontinuum Generation With Photonic Crystal Fibers and Its Application in Nano-imaging 59 http://dx.doi.org/10.5772/59987

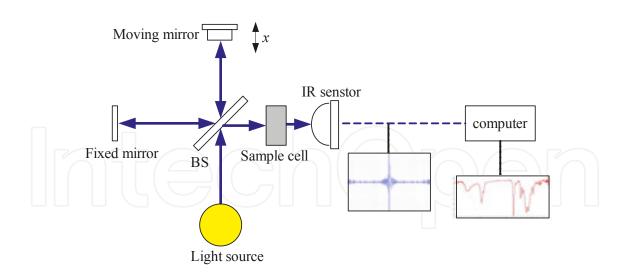


Figure 22. The main components of a FTIR

beam splitter to the sample, where some energy is absorbed and some is transmitted. The transmitted portion reaches the detector. Every stroke of the moving mirror in the interferometer equals one scan of the entire IR source spectrum, and individual scan can be combined to give better representation of the actual absorbance of the sample. Each point in the interferogram contains information from each wavelength of light being measured. The detector reads information about every wavelength in range of the IR source simultaneously. To obtain the infrared spectrum, the detector signal is sent to the computer, and an algorithm called a Fourier transform is performed on the interferogram to convert it into a spectrum. This transmittance spectrum can be converted to absorbance. The process of collecting the IR spectrum in an FTIR spectrometer is illustrated in figure 23. FTIR spectrometer simultaneously collects spectral data in a wide spectral range of the IR source [99]. In contract, in a dispersive spectrometer, every wavelength across the spectrum must be measured individually. This is a slow process, and typically only one measurement scan of the sample is made. Accordingly, the superior speed and sensitivity of FTIR is the significant advantage over a conventional dispersive spectrometer which measures intensity over a narrow range of wavelengths at a time [100,101].

The FTIR refers to the manner in which the data is collected and converted from an interference pattern to a spectrum. The FTIR spectrometer operates on a principle called Fourier transform. The mathematical expression of Fourier transform can be expressed as

$$F(\omega) = \int_{-\infty}^{+\infty} f(x) e^{i\omega x} dx$$
(38)

And the reverse Fourier transform is

$$f(x) = \frac{1}{2\pi} \int_{-\infty}^{+\infty} f(x) e^{-i\omega x} d\omega$$
(39)

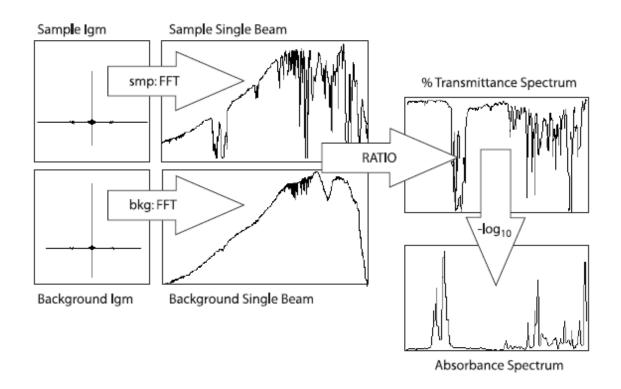


Figure 23. The process of collecting the IR spectrum in an FTIR spectrometer

where  $\omega$  is angular frequency and x is the optical path difference.  $F(\omega)$  is the spectrum and f(x) is called the interferogram. It is clear that if the interferogram f(x), is determined experimentally by using the Michelson interferometer, the spectrum  $F(\omega)$  can be obtained by using Fourier transform. The detector receives a signal, i.e., the interferogram, which is a summation of all the interferences resulting from the constructive and destructive interaction between each wavelength component and all the others. The two most popular detectors for a FTIR spectrometer are deuterated triglycine sulfate (pyroelectric detector) and mercury cadmium telluride (photon or quantum detector). The measured signal is sent to the computer where the Fourier transformation takes place.

FTIR spectrometer simultaneously collects spectral data of the IR in a wide spectral range. This confers a significant advantage over a dispersive spectrometer which measures intensity over a narrow range of wavelengths at a time. FTIR spectrometers have progressively replaced dispersive instruments for most applications due to their superior speed and sensitivity, and opens up new applications of infrared spectroscopy

### 4.2. SC used in IR nanoscopy

FTIR spectroscopy is a widely used analytical tool for chemical identification of inorganic, organic, and biomedical materials, as well as for exploring conduction phenomena [102-104]. Because of the diffraction limit, however, conventional FTIR cannot achieve nano-scaled resolution [105]. Therefore a FTIR system that allows for infrared-spectroscopic nano-imaging is required. The ability to use a spectrally broad source in a FTIR system makes this technique

promising at the nano-scale for the chemical identification of unknown nanostructures. Relying on the use of scattering-type scanning near-field optical microscopy [106,107] (s-SNOM), the diffraction limit of a FTIR system is overcome by the use of a sharp atomic force microscope (AFM) tip acting as an antenna to concentrate the incident radiation to nano-scaled volumes [108-110]. Recording of the tip-scattered light thus yields nano-scaled resolved optical images. With the introduction of s-SNOM, the diffraction-limited resolution in FTIR microscopy can be overcome by several orders of magnitude. Nano-FTIR has interesting application potential in widely different sciences and technologies.

Traditional FTIR spectrometers are based on either thermal IR sources with low brightness and coherence, such as a globar or Hg-lamp, or synchrotron radiation. The synchrotron radiation is complex, expensive, power consuming and always accompanied with intensity fluctuation in spite of high brightness and coherence [29,111]. The advent of non-silica fibers brings us a new IR source with both high brightness and coherence, not to mention the broad bandwidth [31,33,112,113]. Besides fused silica, the PCFs can also be made of other materials, such as chalcogenide and fluoride which show novel characteristics near mid-infrared, such as high transmissivity. Based on these materials, the PCF can shift its ZDW to mid-infrared region, which makes the SC generation in mid-infrared realized easily [114]. And their intrinsic high IR transmissivity and nonlinear coefficient makes it especially suit for mid-infrared SC generation. With these materials, step-index fibers, tapered fibers and photonic crystal fiber can be used to generate the mid-infrared SC [115,116]. Under properly pumping condition, the generated SC shows an ultra-broad spectrum range from 2 µm to 12 µm. These midinfrared supercontinuum possess a broad spectral bandwidth, higher brightness and coherence [117]. The nano-FTIR combing with such a mid-infrared supercontinuum source, has interesting application potential in widely different sciences and technologies, ranging from the semiconductor industry to nanogeochemistry.

In the following paragraphs, we will discuss the process of SC generation with the widely used PCF made of chalcogenide glass. It is necessary to figure out the refraction index and nonlinear response, because they often vary a lot for different materials. The refraction index of bulk  $As_2Se_3$  glass is approximate to the Sellmeier equation as in Eq. (21). The approximate profile show good agreement with measured data [118].

$$n^{2}(\lambda) = 1 + \lambda^{2} \left[ \frac{A_{0}^{2}}{\lambda^{2} - A_{1}^{2}} + \frac{A_{2}^{2}}{\lambda^{2} - 19^{2}} + \frac{A_{4}^{2}}{\lambda^{2} - 4A_{1}^{2}} \right]$$
(40)

with  $n(\lambda)$  being the refraction index,  $\lambda$  the input wavelength expressed in microns. The related Sellmeier coefficients are  $A_0$ =2.234921,  $A_1$ =0.24164,  $A_2$ =0.347441,  $A_4$ =1.308575. By calculation, the variations of refractive index and dispersion parameter with wavelength are shown in figure 24(a) with *n* being the refractive index,  $n_g$  the group index. It is clear the group index  $n_g$  decreases with wavelength below about 7.2 µm and increases beyond that wavelength point. Figure 24(b) exhibits the variation of dispersion with wavelength, where single ZDW point locates in the region from 2 to 14 µm.

point. Figure 24(b) exhibits the variation of dispersion with wavelength, where single ZDW point locates in the region from 2 to 14µm.

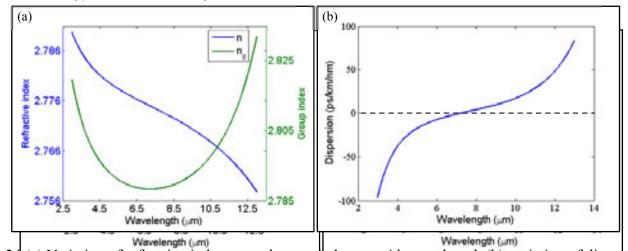


Fig.24 (a) Variation of refractive index n and group index  $n_g$  with wavelength (b) variation of dispersion Fig.24 (a) Variation of refractive index  $n_g$  and group index  $n_g$  with wavelength (b) variation of dispersion figure 24. (a) Variation of refractive index  $n_g$  and group index  $n_g$  with wavelength (b) variation of dispersion parameter with wavelength parameter with wavelength

Considering the As<sub>2</sub>Se<sub>3</sub>-based PCF has an air hole diameter about 1.2 µm and a hole pitch about 3.0 µm. The ideal structure used in FEM is protect as in figure 25(a) with a solid core shout about 3.0 µm. The ideal structure used in FEM is protect as in figure 25(a) with a solid core shout about 3.0 µm. The ideal structure used in FEM is protect as in figure 25(a) with a solid core shout about 3.0 µm. The ideal structure used in FEM is protect as in figure 25(b) shows the dispersion profile of this surrounded by four hexagonal rings of air holes. And figure 25(b) shows the dispersion prosurrounded by four hexagonal rings of air holes. And figure 25(b) shows the dispersion proproved by four hexagonal rings of air holes. And figure 25(b) shows the dispersion proproved by four hexagonal rings of air holes. And figure 25(b) shows the dispersion proproved by four hexagonal rings of air holes. And figure 25(b) shows the dispersion proproved by four hexagonal rings of air holes. And figure 25(b) shows the dispersion proproved by four hexagonal rings of air holes. And figure 25(b) shows the dispersion proproved by four hexagonal rings of air holes. And figure 25(c) shows the dispersion proproved by four hexagonal rings of air holes. And figure 25(c) shows the dispersion proproved by four hexagonal rings of air holes. And figure 25(c) shows the dispersion prothe another the figure 120 w about 3.72 µm about 2.4 % about 2.7 % about 3.72 µm and a solid core of the spectral broadening this proline are constructed by four hexagonal figure 120 w about 2.4 % 10 about that in fused since of the information of the higher nonlinear refractive indexn<sub>2</sub> about 2.4 %  $10^{-17} m^2/W$ .

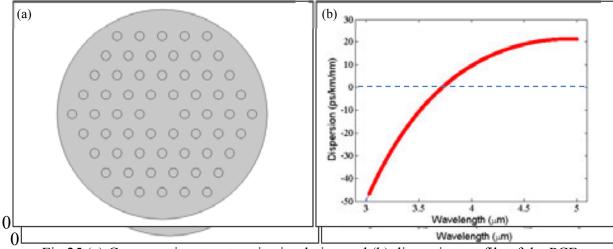


Figure Eig.25 (a) Cross-section structure in simulation and (b) dispersion profile of the PCF Fig.25 (a) Cross-section structure in simulation and (b) dispersion profile of the PCF

Before modeling the process of SC generation in this A based-based BGE cits is precessary to Before modeling the process of SC generation in this As Set based PCF, it is necessary to figure out the honorear response function  $R(t) \equiv 1(I_R)f_R = h_R(t)$ , the different figure out the nonlinear response function  $R(t) \equiv 1(I_R)f_R = 0$ ,  $f_R(t) = h_R(t)$ , due to the different materials. For chalcogenide glasses, the fractional contribution of the Raman response to the total materials. For chalcogenide glasses, the fractional contribution of the Raman response to the total nonlinear response is  $f_R = 0.115$  and the delayed Raman response function  $h_R(t)$  can be expressed as [118,119]

$$\begin{aligned} h_{R}(t) &= \frac{\tau_{1}^{2} + \tau_{2}^{2}}{\frac{t_{1}^{2} + \tau_{2}^{2}}{\tau_{1} \tau_{1}^{2}}} \exp \left( -\frac{t}{\tau_{2}} \right) sin \left( \frac{t}{\tau_{1}} \right) \quad (41) \\ h_{R}(t) &= \frac{t}{\tau_{1}^{2} + \tau_{2}^{2}} \exp \left( -\frac{t}{\tau_{2}} \right) sin \left( \frac{t}{\tau_{1}} \right) \quad (41) \\ (41) &= \frac{t}{\tau_{1}^{2} + \tau_{2}^{2}} \left( \frac{t}{\tau_{1}} \right) \quad (41) \end{aligned}$$

nonlinear response is  $f_R$ =0.115 and the delayed Raman response function  $h_R(t)$  can be expressed as [118,119]

$$h_{R}(t) = \frac{\tau_{1}^{2} + \tau_{2}^{2}}{\tau_{1}\tau_{1}^{2}} \exp\left(-\frac{t}{\tau_{2}}\right) sin\left(\frac{t}{\tau_{1}}\right)$$
(41)

with  $\tau_1$ =23.1 fs,  $\tau_2$ =195 fs.

In the simulation, the injected pulse has a hyperbolic secant profile with with 200 fs pulse propagating distance and plotted in figure 26 plots clears that the output spectral bands idthereaches 1.6 µm promaginar distance and plotted in figure 26 plots clears that the output spectral bands idthereaches 1.6 µm promaginar distance and plotted in figure 26 plots clears that the output spectral bands idthereaches in only fittle spectral broadening on the long-wavelength side, which is induced by intrapulse brings in only little spectral broadening on the long-wavelength side, which is induced by Raman intraptise can be intrapulse broadening on the long-wavelength side, which is induced by After that there is an to be broadening on the long-wavelength side, which is induced by After that there is an to be broadening on the long-wavelength side, which is induced by Compression of the possess of the propagation of the long be broaden of the long of the long broaden of the long of t

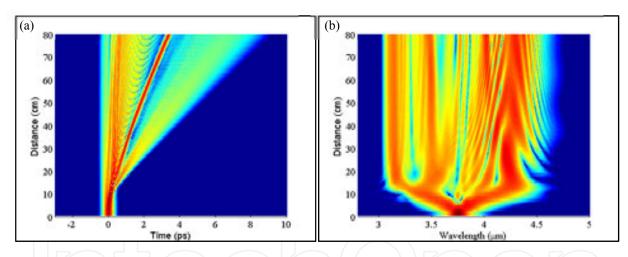
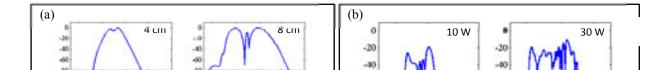


Fig.26 Temporal (a) and spectral (b) evolutions over propagation distance for input pulse Figure 26. Temporal (a) and spectral (b) evolutions over propagation distance for input pulse centered at 3.75 µm with peak power 30 Wcenterede at 3.45 n 2000 fs

To relaborate on the dynamics of SCross cration different spectral slices are exhibited in figure in 27(a) on a logarithmic scale. All the spectrums in figure 27(a) are cut off at -80 dB. In the initial figure 27(a) on a logarithmic scale. All the spectrums in figure 27(a) are cut off at -80 dB. In the initial propagation stage, spectral broadening is approximately symmetrical. And the main mechanistil at 0 spectral broadening sis approximately symmetrical. And the main mechanistil at 0 spectral broadening is approximately symmetrical stage despectral broadening is approximately symmetrical symmetrical with the main mechanistic of the spectral broadening sis approximately symmetrical symmetrical stage and at the main mechanistil at 0 spectral broadening broadening becomes asymmetric with a larger broadening has a notable of structure with the outside peaks on long- and short-wavelength side are related figure. After around 12 cm, the spectral broadening becomes asymmetric with a larger broadening figure. After around 12 cm, the spectral broadening becomes asymmetric with a larger broadening on the long wavelength side. The outside peaks on long- and short-wavelength side are related to soliton fission and dispersive wave generation. With further propagation, spectrum on long-wavelength side spans little due to weak Raman scattering.



notable oscillation structure with the outermost peaks possessing the most intense as shown in figure. After around 12 cm, the spectral broadening becomes asymmetric with a larger broadening on the long wavelength side. The out side peaks on long- and short-wavelength side are related to soliton fission and dispersive wave generation. With further propagation, spectrum on long-wavelength side spans little due to weak Raman scattering.

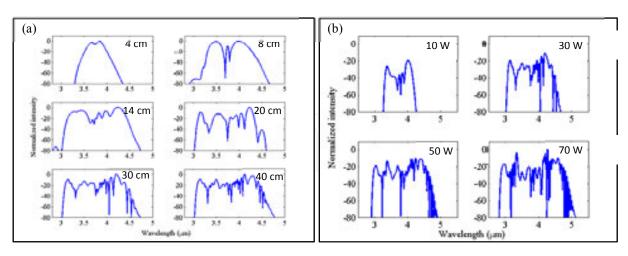


Fig.27 Spectral evolutions for (a) selected propagating distance and (b) peak power

Afthough the generated mid-SC has a bandwidth of 1.6 µm, it is not enough for drive all the vibraioAstisingiltanegusly at a feasible apptoach is the increase it henpeak oppower of ipumptipulse or shorten the pulse duration. Figure 27(b) shows the numerical spectrums for different peak powers after 30 cm propagation with the same pulse duration 200 fs. The input peak powers are 10 W, 30 powers after 30 cm propagation with the same pulse duration 200 fs. The input peak powers are 10 W, 30 we and v7,00W for the total spectral bandwidth of generated SC is increasing with peak power. And with higher peak power, shorter propagation distance is need to make the spectral broadening to its maximum.

To study the impact of pulse duration on SC generation, peak power of input pulses is kept an constant 30 W in the following simulations. Figure 28(b) exhibit the spectral evolutions for different pulse durations with figures on top-left, top-right, bottom-left, and bottom-right being 100 fs, 200 fs, 300 fs and 500 fs respectively. For pump pulse with shorter duration, the distinct soliton structure is much more clear as in figure (a) and (b) because of a shorter dispersive length  $L_D$ . They also have a smaller spectral broadening compared with that in figure (c) and (d) due to a lower pulse energy. However, larger input pulse is associated with longer dispersive length, larger pulse energy and higher soliton order which result in a less clear soliton structure and more complex spectral profile in spite of a larger spectral broadening. In the initial propagation, spectral broadening is more with shorter pulse duration because of the larger SPM-induced chirp and its role in FWM.

The spectral broadening with  $As_2Se_3$ -based PCF is much more than that in silica-glass PCF because of the high nonlinearity. To obtain a continuum with both broad spectral bandwidth and good time structure, a shorter propagation distance is suggested because the weak SSFS effect shifts soliton little towards long-wavelength side with finite propagating distance. And with novel fiber structures, the generated SC has a much larger spectral broadening, such as the mid-infrared SC from 2 to 10  $\mu$ m by Baili *et al* [118].

length, larger pulse energy and higher soliton order which result in a less clear soliton structure and more complex spectral profile in spite of a larger spectral broadening. In the initial propagation, spectral broadening is more with shorter pulse duration because of the larger Supercontinuum Generation With Photonic Crystal Fibers and its Application in Nano-imaging SPM-induced chirp and its role in FWM.

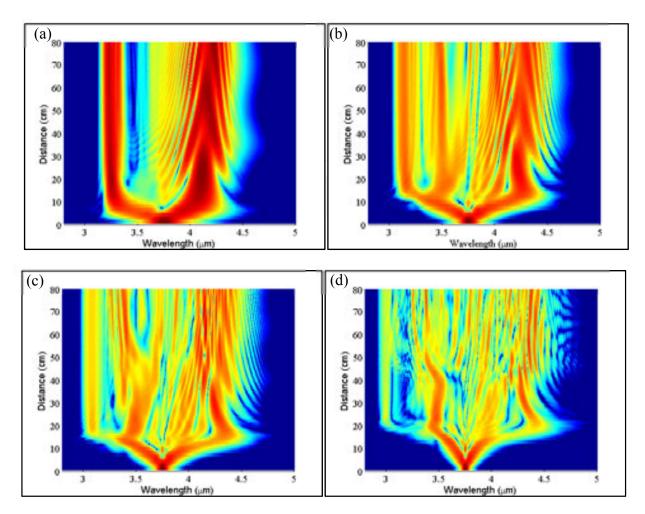


Figure 28. Evolutions over propagation distance for different pulse durations (a) 100 fs; (b) 200 fs; (c) 300 fs; (d) 500 fs (a) 100 fs; (b) 200 fs; (c) 300 fs; (d) 500 fs

## 5. Conclusions and prospects

The spectral broadening with As<sub>2</sub>Se<sub>3</sub>-based PCF is much more than that in silica-glass PCF because of this highter with mainly described the generalized nonlinear Schrödinger equation which is and widely used in simulating the pulse evolution in photonic crystal fibers. In this equation, both good time, strugture, a shorter propagation distance is suggested because of the weak SSFS effect shifts solitonckittle towards doing wakelBagth sidet with finite propagating clistancet - AndFwittenovel fiber structures, the generalized described the nonlinear Schrödinger could be and widely used in details. Spectral SC from 2 to along the photon of the solution in a traditional PCF is analyzed in details. Spectral SC from 2 to along with soliton self-frequency shift, while it is related to SPM effect and optical wave
5 Conclusions and prospects fiber and prospects fiber laser and nonlinear microscopy for its broad in this chapter. We mainly described the generatized nonlinear Schrödinger equation, such as optical method, process of SC fiber and prospects fiber and prospects and prospects fiber and prospects are and nonlinear microscopy for its broad in this chapter, we mainly described the generalized nonlinear Schrödinger equation which is microscopy and IR microscopy has been widely used in cellular biology for their label-free and nondestructive imaging. Although the spatial resolution of CARS microscopy is not such high due to the diffraction limit, the APIPD opens up a quite feasible approach to realize nanoscale imaging. Furthermore, the combination of this CARS nanoscopy and the supercontin-

uum generated in an all-normal dispersion PCF is of crucial importance to study the fine structures and metabolic dynamics in live cells. Besides, combining with atomic force microscope, FTIR microscopy has a spatial resolution below 100nm. This nano-FTIR combing with a mid-infrared supercontinuum source generated from the PCF becoming a powerful tool for chemical identification of unknown nanostructures.



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